# The Long-Run Educational Benefits of High-Achieving Classrooms* 

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#### Abstract

Despite the prevalence of school tracking, evidence on whether it improves student success is mixed. This paper studies how tracking within high school impacts high-achieving students' short- and longer-term academic outcomes. Our setting is a large and selective Chinese high school, where first-year students are separated into high-achieving and regular classrooms based on their performance on a standardized exam. Classrooms differ in terms of peer ability, teacher quality, class size, as well as level and pace of instruction. Using newly collected administrative data and a regression discontinuity design, we show that high-achieving classrooms improve math test scores by 23 percent of a standard deviation, with effects persisting throughout the three years of high school. Impacts on performance in Chinese and English language subjects are more muted. Importantly, we find that high-achieving classrooms raise enrollment in elite universities by 17 percentage points, as they substantially increase scores on the national college entrance exam - the sole determinant of university admission in China. Effects are concentrated among lower-income students.


JEL Classification: I21, I24, I26, J24
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## 1 Introduction

Tracking, the practice of grouping students into classes based on prior achievement, is common in many countries such as the United States, Canada and China. While withinschool tracking is widespread, it remains exceedingly controversial. ${ }^{1}$ Tracking allows teachers and schools to tailor their instruction and resources to students' abilities and needs, which may boost their educational attainment. On the other hand, it may widen educational gaps between high- and low-achieving students, by putting the latter at a learning disadvantage (Betts, 2011). In the public policy arena, this issue is hotly debated as an increasing number of policymakers are questioning the benefits of placing high-achieving students in separate classes. As a result, many school districts are now moving towards eliminating this practice. For example, in October 2021, Mayor de Blasio announced a highly controversial plan to phase out New York City's Gifted and Talented program by 2022 (The New York Times, 2021). ${ }^{2}$

Despite considerable policy relevance, evidence on whether placing students into highachieving classrooms improves their academic performance is mixed, and less is known about how it affects their longer-term outcomes. Additionally, very few studies focus on the impacts of these classrooms at the high school level. Answering this question is nonetheless important for two reasons. First, the practice of placing high school students into highachieving classrooms is widespread. For example, in 2013, $75 \%$ of U.S. high school districts group high-achieving students in the same classrooms through offering honors classes, advanced placement (AP) courses and other gifted programs (National Research Center on the Gifted and Talented, 2013). In China, virtually all high schools separate students into classrooms based on their prior academic performance. Second, while previous studies have focused on high-achieving classrooms at the primary or middle school level, it is unclear whether their results can be extended to older students. Indeed, cross-country evidence suggests that the age at which students are tracked is a strong determinant of their future outcomes, and that tracking at a later age may be more beneficial for students' educational trajectories (Hanushek and Wößmann, 2006; Brunello and Checchi, 2007; Schütz, Ursprung and Wößmann, 2008).

This study is the first to examine whether placing high school students in high-achieving classrooms affects their academic achievement, college attendance and college selectivity. Our

[^1]context is China where virtually all high schools have adopted classroom tracking. Indeed, results from a survey we conducted among Chinese university students indicates that $93.3 \%$ of them attended a high school that divides students into achievement-based classrooms. We investigate the effects of this in one setting: Qingyang First High School, a large and selective high school located in the low-income province of Gansu, which is ideally suited for answering our question. At the beginning of their first year at Qingyang First High School, students have to take a classroom placement exam (CPE). The top performers on this exam are assigned to high-achieving classrooms, while other students are randomly allocated to regular classrooms. The majority of students stay in the same classrooms for all three years of high school.

The classroom allocation mechanism used by the high school creates a CPE score cutoff, whereby students scoring above the cutoff are assigned to high-achieving classrooms and those scoring below are randomly placed in regular classrooms. We can therefore estimate the causal effect of being assigned to a high-achieving classroom, by using a regression discontinuity design which compares students who score barely above to those who score barely below the CPE cutoff. We collected rich administrative data on all students who enroll in their first year at this large and selective Chinese high school from the years 2015 to 2017. An advantage of our data is that we can track students' educational outcomes both in the short- and longer-run, as we have information on their performance on common exams taken throughout the three years of high school, scores on the high-stakes national college entrance exam, and the name of the university they enroll in. Our data also allow us to test for differences in classroom educational inputs and hence, provide evidence on the potential mechanisms driving our effects.

Our results indicate that students substantially benefit from being assigned to highachieving classrooms in their first year of high school. Eligibility to enroll in a high-achieving classroom leads to 0.23 to 0.28 standard deviations increase in performance on mathematics exams taken during the first year of high school. These benefits persist in the second and third years of high school, as we document significant and comparable improvements in math performance. On the other hand, the impacts of high-achieving classroom assignment on students' performance in Chinese and English language subjects are more muted. To investigate longer-term effects, we look at students' performance on the high-stakes college entrance exam and the type of universities that they enroll in. Indeed, at the end of their last year of high school, students in China take a common national exam which is the sole determinant of admissions into 4-year universities. We show that high-achieving classroom eligibility increases students' performance on the college entrance exam by around 0.28 standard deviations. Importantly, we find that students are 17 percentage points more likely to
enroll in highly-selective elite colleges. Since these elite colleges have been previously shown to yield large earnings gains (Jia and Li, 2021), our findings suggest that the benefits of high-achieving classrooms likely persist in the labor market.

While our overall effects reveal substantial gains from high-achieving classrooms, lowerincome students may benefit more than others as access to these classrooms can help them overcome obstacles that they typically face such as lack of out-of-school resources and low teacher expectations (Card and Giuliano, 2016). To delve into this further, we explore heterogeneous effects based on socioeconomic status (SES). ${ }^{3}$ We find that lower-SES students placed in high-achieving classrooms significantly increase their high school math performance and college entrance exam scores by 0.362 and 0.52 standard deviations, respectively. Estimates further suggest that they improve their enrollment in highly-selective colleges, but effects are not statistically significant at conventional levels likely due to reduced sample size. For higher-SES students, estimates are small in magnitude, but reduced precision prevents us from drawing definitive conclusions for this sample. To summarize, results from our heterogeneity analysis indicate that lower-SES students particularly benefit from highachieving classrooms. This suggests that increasing lower-SES students' access to these classrooms may help them overcome barriers and equalize opportunities between students from different socioeconomic backgrounds.

An advantage of our data is that it allows us to quantify the mechanisms underlying our effects. We show that students assigned to high-achieving classrooms are naturally exposed to higher-achieving peers compared to those placed in regular classrooms. We further find that students in high-achieving classrooms benefit from having higher quality teachers-measured by teachers' official rank, pay scale and work experience - and smaller class sizes. Additional analysis further suggests that improved teacher quality, rather than peer quality or class size, is the main channel behind the documented academic benefits of high-achieving classrooms.

Finally, we examine whether our results replicate using data from two other Chinese high schools, where students are also assigned to high-achieving classrooms based on their scores exceeding a cutoff on a common exam. An advantage of these two additional schools is that they are less selective and are located in an area that is lower-income and more rural than the school used in our main analysis. This allows us to evaluate whether high-achieving classrooms benefit students who come from different backgrounds and attend different types of schools than our main high school. Using a regression discontinuity design, we find that students at these two high schools experience significant improvements in their scores

[^2]on math exams taken throughout their three years of high school (between 0.28 and 0.4 standard deviations), as well as on the national college entrance exam (between 0.29 and 0.5 standard deviations). ${ }^{4}$ These results are strikingly consistent with those from our main analysis and suggest that high-achieving classrooms have substantial short- and longer-term benefits in various settings.

Our results contribute to a broad body of work which examines whether tracking improves student achievement. Early U.S. studies compare schools which track students into achievement-based classrooms to schools that do not track, and find limited evidence that tracking improves academic outcomes (Betts and Shkolnik, 2000; Figlio and Page, 2002; Zimmer, 2003; Lefgren, 2004). Our paper is more directly related to studies which use a regression discontinuity design to look at whether students benefit from being placed in high-achieving versus regular classrooms. Evidence from this literature is quite mixed. Duflo, Dupas and Kremer (2011) find no significant differences in test scores from being placed into high- versus low-achievement grade 1 classrooms in Kenya, as students in both types of classrooms benefited equally. Bui, Craig and Imberman (2014) show that admission to a Gifted and Talented program in U.S. middle schools does not impact student achievement. Tangvatcharapong (2020) finds similar effects in middle schools in Thailand. On the other hand, Card and Giuliano (2016) document that 4th grade gifted classrooms in the U.S. substantially improve high-achieving minority students' math and reading test scores.

Our paper adds to this literature in two ways. First, we present the first causal evidence on the effects of assigning high school students to high-achieving classrooms. Prior work focuses instead on high-achieving classrooms at the elementary and middle school level. The scarcity of evidence on within-high school tracking is striking given that it is a common practice in many countries. For example, in the U.S., high schools routinely track students based on their achievements through offering advanced placement (AP) courses, honors classes and other types of gifted programs (Callahan et al., 2017). Nonetheless, evidence on these specific programs is scant. Some studies show that providing students and teachers with cash incentives to pass high school AP exams (Jackson 2010a; 2014) increase college enrollment and graduation, but they do not look at whether taking AP courses affects performance or

[^3]college outcomes. ${ }^{5,6}$
A second advantage of our setting is that we can document the longer-term educational impacts of high-achieving classrooms. Most previous studies look at academic performance for up to at most two years after students are tracked (Duflo, Dupas and Kremer, 2011; Bui, Craig and Imberman, 2014; Card and Giuliano, 2016). An exception is the study by Cohodes (2020) who evaluates Boston Public Schools' Advanced Work Class (AWC). The program groups high-achieving 4th to 6th grade students in the same classroom and offers advanced literacy curricula as well as accelerated math in later grades. While AWC had positive but insignificant impacts on short-term test scores, it increased high school graduation and college enrollment. Our paper complements this study as we show that assigning high school - instead of elementary and middle school-students to high-achieving classrooms substantially improves their short- and longer-term test scores, as well enrollment in elite colleges.

Additionally, our results are the first to show that high-achieving classrooms are an important determinant of high-achieving students' access to elite universities. Our paper thus relates to recent studies focusing on the determinants of students' access to selective colleges. Informational interventions, counseling, financial aid and family networks have all been shown to impact college quality (Hoxby and Turner, 2013; Cohodes and Goodman, 2014; Pallais, 2015; Castleman and Goodman, 2018; Altmejd et al., 2021; Dynarski et al., 2021). Our findings complement these studies, as they indicate that providing topperforming students residing in lower income areas with opportunities to enroll in highachieving classrooms may be an effective way to boost their enrollment in selective colleges.

Finally, our results are consistent with recent studies showing that students realize substantial achievement gains from accessing selective high schools (Berkowitz and Hoekstra, 2011; Clark and Del Bono, 2016; Jackson, 2010b; 2013; Pop-Eleches and Urquiola, 2013;

[^4]Dee and Lan, 2015; Beuermann and Jackson, 2018; Hoekstra, Mouganie and Wang, 2018). Similar to high-achieving classrooms, these schools typically provide students with a bundle of improved educational inputs such as higher peer ability, better teacher quality and tailored pedagogy. Our findings highlight that variation in inputs within and not just across schools can drive differences in long-term academic success.

The rest of this paper is organized as follows. Section 2 describes the educational system and within-school tracking in China. Section 3 details the data we use. Section 4 outlines the identification strategy. Section 5 presents the main results and robustness checks. In section 6.1, we discuss the possible mechanisms behind our findings and we conclude in section 7.

## 2 Institutional Setting

### 2.1 Overview of the Education System in China

Students in China enroll in elementary school at the age of six or seven. They spend six years in elementary school, followed by another three years in middle school. Elementary and middle schools provide compulsory general education that is common to all students. At the end of middle school, students can pursue either vocational or general secondary education. The general education path allows students to eventually enroll in academicallyfocused universities, while the vocational path prepares them for specific occupations and restricts access to traditional higher education.

After middle school, students in the general education path pursue three years of high school (grades 10 to 12). High school admission is typically based on students' performance on a city-level high school entrance exam or Zhongkao, taken at the end of middle school. Admission to selective high schools in China is highly competitive. Students submit a form indicating their ordered preference of high schools. They are then assigned to different high schools using an algorithm that takes into account students' preferences and high school entrance exam scores. In their first year of high school, all students pursue a common curriculum. At the end of their first year, they choose between two academic concentrations: Arts or Sciences. This choice is consequential for their postsecondary studies, as some majors only admit students from one of the concentrations. Students decide on their concentration based on their personal preferences and abilities. However, high-achieving students typically enroll in the Sciences concentration, as it allows them to access a wider set of college majors.

Students in China are granted admission into different 4-year colleges through a centralized admissions process. At the end of the three years of high school, all students wishing
to attend 4 -year colleges, are required to take a common college entrance exam or Gaokao. ${ }^{7}$ Similar to high schools, college admissions are almost entirely based on students' performance on this exam. The Chinese central government officially divides universities into tiers based on their quality and selectivity, with Tier I universities being the most selective. After the college entrance exam is graded, provinces set and announce minimum admission score cutoffs for each university tier. ${ }^{8}$ Students submit a list of preferred colleges and majors after receiving their college entrance exam scores and seeing the minimum admissions cutoffs. Tier I universities then start admitting students based on their listed preferences and college entrance exam scores, followed by Tier 2 universities. Students whose college entrance exam scores exceed the provincial admission cutoffs are not guaranteed a spot at their preferred college. This is because each university can set its own admissions cutoff as long as it exceeds the minimum cutoff set by the province for its corresponding tier.

Students compete for seats at selective colleges with others in their province. Importantly, colleges do not place any weight on students' Gaokao rank within their high schools or classrooms, but rather on their rank within their province. Furthermore, around 300,000 students take the Gaokao in the province of Gansu every year. Hence, if high-achieving classrooms increase students' access to selective colleges, this does not mechanically reduce enrollment of students who barely miss the CPE cutoff and end up in regular classrooms.

Among Tier I universities, there is also a great deal of variability in their degree of selectivity. The most selective and prestigious universities are part of two national projects which aim to transform them into world-leading institutions. Specifically, Project 211 (or "Top 100 in the 21st century" Project) and Project 985 (or "World First Class University" Project), which were launched by the Chinese Ministry of Education in 1995 and 1999 respectively, allocate extra funds to top universities in an effort to improve their research standards. ${ }^{9}$ Around 112 Tier I institutions are listed as part of Project 211, and 39 of these also constitute Project 985 universities. ${ }^{10}$ Project 211 and Project 985 institutions are

[^5]considered to be the top 100 and top 40 universities in China, respectively. Only around $5 \%$ of college students are enrolled in Project 211 universities every year. These universities are not just highly selective but they also lead to substantial gains in the labor market. Indeed, Jia and Li (2021) show that enrolling in Project 211 universities increases students' average monthly wages from their first job by 28 to $45 \%$. In section 5.3 , we estimate the impact of high-achieving classrooms on students' performance on the high-stakes college entrance exam, as well as their likelihood of enrolling in (i) a Tier I university, (ii) a Project 211 university (henceforth, top 100 university) and, (iii) a Project 985 university (henceforth, top 40 university). Focusing on these consequential outcomes allows us to gauge the longerterm educational benefits of high-achieving classrooms.

### 2.2 Within-High School Tracking

The practice of separating high school students into achievement-based classrooms is prevalent in China. While there is no official data on the proportion of high schools that track students into high-achieving classrooms in China, virtually all high schools separate students into classrooms based on their prior academic performance in practice. To corroborate this, we conducted a large-scale online survey targeted at students attending 79 different universities throughout China. We received responses from 701 students spanning 30 provinces (all provinces except Tibet) who attended 520 different high schools. 654 respondents ( $93.3 \%$ ) indicated that their high schools placed top-performing students into separate classrooms.

Our student level administrative data are collected directly from Qingyang First High School, the most selective high school in the city of Qingyang. Qingyang is a prefecture-level city located in the province of Gansu, with an estimated geographical area of $27,117 \mathrm{~km}^{2}$ and a population of 2.23 million individuals. In 2019, its GDP per capita was around $\$ 5,130$, well below the national GDP per capita of $\$ 10,216 .{ }^{11}$

In Qingyang, all high schools track first-year students into achievement-based classrooms. The high school we focus on, Qingyang First High School, started this practice in 2015. In each academic year, high school administrators aim to place around 80 to 120 students in two high-achieving (HA) classrooms, while all other students are randomly allocated to regular classrooms. To determine classroom placement, students have to take a common exam at the beginning of their first year in high school. The exam comprises 5 subjects: Mathematics, Chinese Language, English Language, Physics and Chemistry. Students' total
among the top 1000 worldwide universities according to the Academic Ranking of World Universities and the Times Higher Education World University Rankings.
${ }^{11}$ Source: https://research.hktdc.com/en/data-and-profiles/mcpc/provinces/gansu/qingyang
score, graded out of a possible 650 points, is calculated by taking the sum of their scores on these subjects. ${ }^{12}$ The classroom placement exam (CPE) is administered by Qingyang First High School. Its content and grading scale are different than the high school entrance exam, which is administered at the city level. ${ }^{13}$ However, they both cover similar topics so students do not have to study different material to prepare for each exam.

The top performers on the classroom placement exam are assigned to high-achieving classrooms. The combination of spots available in high-achieving classrooms each year and students' performance on the CPE creates a distinct CPE score cutoff for each cohort in our sample, whereby students scoring above their cohort's cutoff are assigned to high-achieving classrooms and those scoring below are placed in regular classrooms. Performance on the CPE is generally the only criterion taken into consideration when determining classroom placement. Students who score below the cutoff are allocated to regular classrooms in a random way. ${ }^{14}$

Students take all subjects in the classroom they were assigned to, and generally stay in the same classroom until their last year of high school. ${ }^{15}$ Students in high-achieving and regular classrooms follow the same national curriculum, and are evaluated using similar exams on all subjects. However, high-achieving classrooms are taught the same material at a faster pace, which gives teachers more time to delve deeper into each topic. For example, students in high-achieving classrooms may be responsible for knowing how to prove a certain mathematical theorem, while those in regular classrooms go over the theorem without the proof. Students in high-achieving classrooms are further given additional and more advanced in-class and at-home exercises. This type of differentiated instruction is a common feature of within-school tracking programs. For example, the gifted classes studied in Bui, Craig and Imberman (2014) and Card and Giuliano (2016) also cover the same curriculum as regular classes, but delve deeper into the material and provide a faster pace of instruction.

[^6]Our discussions with high school administrators indicate that there are several additional differences between classrooms. Teachers in high-achieving classrooms are on average higherranked than those in regular classrooms. A unique feature of the Chinese educational system is that teachers are assigned one of three official ranks, which influence their salaries. Teachers typically start at the lowest rank when they are first employed, and become eligible to apply for higher ranks after accumulating a few years of experience. However, promotion to higher ranks is not automatic and the evaluation process is quite rigorous. A committee selected by city officials evaluates each eligible teacher's file and takes into consideration his/her teaching performance, education level, publications, awards, and performance on an oral exam. Higher-ranked teachers are perceived to be of higher-quality in China, and previous studies suggest that they improve student outcomes. Indeed, Hoekstra, Mouganie and Wang (2018) find that attending the most selective Chinese high schools substantially improves students' performance on the college entrance exam, and that this effect is driven by increased exposure to high-ranked teachers. Teachers do not receive additional training and do not need to acquire extra credentials to teach high-achieving classrooms. ${ }^{16}$ In section 6.1, we use teacher rank as a proxy for teacher quality to provide evidence on the mechanisms driving our effects. We also look at teacher salaries and years of experience as alternative measures of quality.

Another difference between classrooms is that high-achieving classrooms are smaller in size than regular classrooms. Finally, by design, students in high-achieving classrooms are exposed to higher-ability peers compared to those in regular classrooms.

## 3 Data and Descriptive Statistics

We collected student-level administrative data directly from school administrators at Qingyang First High School, a large and selective high school in China. Our data comprise three student cohorts who first enrolled at the high school in the academic years 2015 to 2017. ${ }^{17}$ Our data contain information on students' high school entrance exam (Zhongkao) scores in addition to scores on the separate classroom placement exam (CPE) administered by the high school to enrolled students. Importantly, starting with the 2015 entering cohort, Qingyang First High School began using results from the latter exam to track the highest

[^7]scoring students into two high-achieving classrooms while randomly assigning all remaining students to other sections. We also have information on students' classroom section, gender, test scores in all subjects taken throughout their three years of high school, scores on the Chinese college entrance exam (Gaokao) and the name of the university students eventually attend. Finally, to quantify the differences between high-achieving and regular classrooms, we collected detailed information on teachers directly from the high school-namely their salary scale, years of experience and official rank.

Column (1) of Table 1 reports descriptive statistics for our full sample i.e., for the 2,273 students who first enrolled in Qingyang First High School from 2015 to 2017. In Column (2), we also provide summary statistics for students in our marginal sample i.e., the 1,788 students who scored within 75 points on either sides of the classroom placement exam cutoff. We must note that this "marginal sample" is mainly for descriptive purposes. Our main RD regressions use bandwidths that are much smaller and local to the threshold-as predicted by optimal bandwidth selectors. Panel A shows means and standard deviations for students' baseline characteristics and outcomes. The proportion of male students in the overall and marginal samples are fairly similar at roughly 53 percent. Additionally, approximately 57 percent of students in our sample reside in urban areas while 43 percent are from rural areas. The average high school entrance exam score for students in the overall sample is 790.5 out of a possible 1,000 points for the years 2015 to 2017 with a standard deviation of 88 points. The average is slightly higher for our marginal sample at 796.9 points. For the classroom placement exam, the average score for the overall sample is 413.4 out of a possible 650 points, and is also slightly higher for the marginal sample (429.9 points). The scores on this exam determine whether students are eligible to enroll in a high-achieving classroom, and hence will be used as our running variable (see section 4.1). Only 13.7 percent of students in the overall sample and 17.3 percent of those in the marginal sample are enrolled in high-achieving classrooms.

To examine the impact of high-achieving classrooms on short-term academic performance, we use students' scores on all exams taken in each of their three years in high school as outcomes. Students assigned to high-achieving and regular classrooms take the same exams in each grade. Scores are not normalized within classrooms but rather, exams are graded on the same scale. Accordingly, we take the average of all test scores in these exams for each of the three grades of high school. We then standardize average yearly performance for each grade by year of entry (i.e. by cohort). Average performance during the first three years of high school is higher for students in the marginal sample compared to the overall sample. This is expected given that students from the marginal sample are taken from a higher initial test score distribution. In particular, students in the marginal sample outscore those from
the overall sample by $0.4,0.35$ and 0.329 standard deviations in grades 1 through 3 of high school, respectively. Additionally, around 87 percent of students in the selective high school we focus on choose a science academic concentration in the second year of high school. This proportion stands at roughly 90 percent for students in the marginal sample.

At the end of high school, students with a science academic concentration score an average of 510.77 points on the Gaokao college entrance exam with a standard deviation of 64.64. The minority of students in the arts concentration score an average of 527.46 points on their version of the college entrance exam. Students in the marginal sample perform even better attaining an average of 522 and 541 points in the science and arts Gaokao exam respectively, which is in line with their better performance during the first three years of high school. Overall, students enrolled in Qingyang first high school perform much better than most students in their province on the national college entrance exam. Indeed, the average science student in our high school scores in the top 11 to 12 percent of all Gaokao test takers in the province of Gansu, depending on the year. Additionally, the average student in the arts concentration scores in the top 5 to 7 percent of the province. Approximately the same proportion of students in both samples end up opting out of the college entrance exam (4.8 and 4.5 percent). The national college entrance exams are extremely high-stakes as they are the sole determinant of university access and quality in China. Unsurprisingly, the majority of students in our overall ( $90 \%$ ) and marginal ( $92.5 \%$ ) samples end up enrolling in university. This indicates that college access is not the margin of concern for this student population.

Indeed, the main reason that students compete to get into top-ranked high schools is because they increase access to selective universities by better preparing students for the college entrance exam. Officially, universities in China are broken down into tiers, with tier I universities being the most selective. As a result of their higher than national average performance on the college entrance exam, around 65 percent of students in Qingyang First High School attend a tier-I university. This number is even higher for the marginal sample (72 percent). However, top-performing students covet access to a narrower and more selective set of universities within the tier-I designation, the top 100 and top 40 national universities in China. The proportion of students in our high school that attend the coveted top 100 universities stands at about 25 percent for our overall sample and 30 percent for the marginal sample. Additionally, the proportion attending the most prestigious and coveted top 40 universities is 11.6 and 14.4 percent for our overall and marginal samples, respectively.

Students in our three cohorts are distributed across 43 distinct classrooms. We observe two high-achieving classrooms per entering cohort for a total of six high-achieving classrooms across all three cohorts. Panel B of Table 1 presents summary statistics for classroom-level characteristics. The average class size for students in the overall and marginal samples stands
at around 58 students per classroom. Teachers' salaries are officially broken down into steps ranging from 7 to 40 , with a higher number corresponding to a higher salary scale. The average salary scale for teachers in Qinyang First High School is 22.16 for the overall sample and 22.31 for the marginal sample. Additionally, teachers have an average of 16.8 years of experience. Finally, teachers are assigned one of three official ranks, with three being the highest and one the lowest. The proportion of top teachers, i.e. those in the highest rank category, stands at 25.8 and 26.4 percent for the overall and marginal samples, respectively.

## 4 Identification Strategy

### 4.1 Regression Discontinuity Design

The practice of tracking high school students into high-achieving classrooms is prevalent in China. In particular, all high schools in the Gansu province and most elite high schools in China have this form of tracking. The high school we focus on tracks top-performing firstyear students into two high-achieving classrooms per year. Assignment to high-achieving classrooms is based solely on students' scores on the classroom placement exam. Accordingly, we use a regression discontinuity design ( RD ) to estimate the causal impact of high-achieving classroom attendance on academic performance and college outcomes (Imbens and Lemieux, 2008; Lee and Lemieux, 2010). The key identifying assumption underlying an RD design is that all determinants of future outcomes vary smoothly across the high-achieving classroom admissions threshold. This is likely to hold, as precisely manipulating scores on the classroom placement exam would be extremely difficult, if not impossible. This is because the cutoff scores are only determined after the exams are administered and graded. These cutoffs are determined based on percentile ranks, which are only calculated after the tests are graded. As a result, students and graders do not know the admission threshold for each academic year. Additionally, graders do not observe any identifying information on students.

All students in our data attend Qingyang First High School. Within this high school, two classrooms, per academic year, are consistently reserved for the highest-achieving students; which is roughly composed of the top-scoring students in the classroom placement examination, beyond a key threshold. In order to summarize the effects of attending high-achieving classrooms, we pool data across three different entering cohorts. Formally, we estimate the following reduced-form equation:

$$
\begin{equation*}
Y_{i t}=\alpha+f\left(S_{i t}\right)+\tau D_{i t}+\delta X_{i}+\gamma_{t}+\epsilon_{i t}, \tag{1}
\end{equation*}
$$

Where $Y_{i t}$ is the outcome of interest for student $i$ in cohort $t . D_{i t}$ is a dummy variable
indicating whether student $i$ crosses the year-specific score threshold for attending a highachieving classroom. We do not have data on the exact threshold score used in a given year, rather this threshold is predicted using information on students' CPE scores and whether they attended a high-achieving classroom. ${ }^{18}$ This method approximates a near-perfect "first stage" as shown in Section 5.1. $S$ represents students' classroom placement exam (CPE) scores in the years 2015, 2016 and 2017 measured in points relative to the cutoff score for each respective academic year. Formally, $S_{i t}=\operatorname{grade}_{i t}-\overline{\text { grade }_{y}}$ for all individuals within a year facing a common threshold $y$. The function $f($.$) captures the underlying relationship$ between the running variable $S_{i t}$ and the dependent variable $Y_{i t}$. We also allow the slopes of the fitted lines to differ on either side of the admissions threshold by interacting $f($.$) with the$ treatment dummy $D . X_{i}$ is a vector of students' predetermined controls that should improve precision by reducing residual variation in the outcome variable, but should not significantly change the treatment estimate if our identifying assumption holds. Additionally, we include cohort or year fixed effects $\gamma_{t}$ to account for cohort specific shocks. $\epsilon_{i t}$ represents the error term. Finally, the parameter $\tau$ gives us the causal effect of being eligible to enroll in a high-achieving classroom-i.e., the reduced form estimate.

In our analysis, we specify $f($.$) to be a linear function of S$ and estimate the equation over a narrow range of data, using local linear regressions with triangular and uniform kernels. This approach generates estimates that are more local to the threshold without imposing any strong functional assumptions on the data. The preferred specifications in this paper are drawn from local linear regressions with optimal bandwidths chosen by the CCT robust data driven procedure as outlined in Calonico, Cattaneo and Titiunik (2014). Specifically, we use two separate MSE-optimal CCT bandwidth selectors - one for observations below the cutoff and one for those above. We do so because we have significantly more observations to the left of the cutoff as compared to the right given how selective the threshold is. Additionally, because the CCT bandwidth selector predicts different bandwidths depending on outcome, the number of observations in each regression may vary from one outcome to another. However, we also present results from a variety of different common bandwidths for all outcomes as a robustness check. Finally, given the discrete nature of our running variable, we report robust standard errors throughout (Kolesár and Rothe, 2018).

While we generally focus on reduced form estimates from specifications like (1), we also present coefficients from an instrumental variables type specification. This allows us to infer the average effect of attending a high-achieving classroom as opposed to the intent-to-treat

[^8](ITT) effect only. Formally, we estimate:
\[

$$
\begin{align*}
& Y_{i t}=\theta+h\left(S_{i t}\right)+\beta E\left(C_{i t} \mid S_{i t}\right)+\gamma X_{i}+\mu_{i t}  \tag{2}\\
& E\left(C_{i t} \mid S_{i t}\right)=\nu+g\left(S_{i t}\right)+\lambda D_{i t}+\theta X_{i}+\zeta_{i t} \tag{3}
\end{align*}
$$
\]

where (3) is the "first stage" and $C_{i t}$ is an indicator for whether student $i$ is enrolled in a high-achieving classroom at time $t . \mu_{i t}$ and $\zeta_{i t}$ are error terms. $\beta$ from equation (2) gives us the local average treatment estimate (LATE) of attending a high-achieving classroom in a 2SLS framework. This is equivalent to the Wald estimate and can be informally computed by dividing the ITT estimate $\hat{\tau}$ in equation (1) by the first stage estimate $\hat{\lambda}$ from equation (3).

### 4.2 Tests of Identification

Given the nature of how students are assigned to high-achieving classrooms, we believe it is very unlikely that students are able to precisely manipulate their scores relative to the cutoff. Nonetheless, we provide two formal empirical tests to alleviate concerns over manipulation of the running variable.

We first assess whether there is evidence of bunching around the high-achieving classroom admission threshold. Indeed, if students or graders could manipulate exam scores relative to the cutoff, we would expect to see too few students just short of the cutoff coupled with too many students just exceeding the cutoff. Results from this exercise are summarized in Figure 1, which shows the density function representing the share of students scoring 50 points below and above the classroom placement exam cutoff. Specifically, we find no evidence of a discontinuity (bunching) in the density function using the local polynomial density estimation testing procedure proposed in Catteneo, Janson and Ma (2020). Formally, we estimate a p-value of 0.495 and reject the hypothesis that the density function varies discontinuously at the cutoff.

We also test whether observed determinants of achievement are smooth across the threshold. Indeed, if our identifying assumption holds, we would expect predetermined characteristics of student achievement to vary smoothly across the admissions threshold. Conversely, if students or graders are manipulating scores around the threshold, then we would expect to see students with different characteristics on either sides of the cutoff. Predetermined student characteristics in our data are limited and include gender, test scores on the high school entrance exam-taken just prior to the classroom placement exam and general area of residence (rural or urban). We test whether there is evidence that these two covariates vary discontinuously at the cutoff. Figures 2a, 2b and 2c plot the relationship between each
of these covariates and the running variable. The figures take the same form as those after them in that circles represent local averages of the outcome over a 5 points score range. The running variable is defined as distance of students' scores from the classroom placement exam cutoff. The cutoff is represented by a 0 on the x -axis. We show results using a bandwidth of 75 points on either sides of the cutoff using a linear fit. Visual evidence suggests that high school entrance exam scores (Figure 2a), the likelihood that a student is male (Figure 2b) and whether a students resides in a rural or urban address (Figure 2c) vary smoothly at the cutoff, in line with our identifying assumption. We note that the large bandwidth (75 points) used for these figures and those after is merely for illustrative purposes, enabling the reader to see the full range of data points. Our main analysis and conclusions are drawn from RD regressions using much smaller bandwidths that are local to the threshold-as predicted by the CCT bandwidth selector.

We present corresponding regression discontinuity estimates taken from equation (1) in Table 2. We report coefficients from local linear regressions using as an outcome: the likelihood a student is male in Columns (1) and (2), high school entrance exam scores in Columns (3) and (4) and residential location in Columns (5) and (6). All regressions use a bandwidth predicted by the CCT optimal bandwidth selector, as detailed in section 4.1. Columns (1), (3) and (5) show estimates using a triangular kernel function that gives more weight to points close to the cutoff. We also show estimates using a uniform kernel, that give equal weight to all points, in columns (2), (4) and (6). Consistent with the visual evidence, we are unable to detect any significant discontinuities at the cutoff in terms of student gender, high school entrance exam scores or general location of residence. These results hold regardless of kernel choice. We also show that estimates are robust to varying bandwidth choices in Appendix Table A1. Specifically, we are unable to detect discontinuities in any of the three covariates using bandwidths of 50, 75 and 100 score points on either side of the high-achieving classroom admissions threshold.

## 5 Results

### 5.1 First Stage-Likelihood of Enrolling in High-Achieving Classrooms

We begin by presenting evidence that the classroom placement assignment rule was binding in practice. To do so, we show visual evidence that students are discontinuously admitted to high-achieving classrooms based on their scores in the CPE. Figure 3 summarizes results from this exercise where bins represent local averages over a 5 point score range. We use a lin-
ear fit on either side of the cutoff to approximate the discontinuity. The figure reveals a large and positive discontinuity in the likelihood that students enroll in a high-achieving classroom at the admissions cutoff. Corresponding regression discontinuity estimates, using predicted optimal bandwidths, are presented in Table 3. Estimates indicate a high compliance rate with discontinuity coefficients ranging from 77.5 to 81.8 percentage points depending on kernel choice and controls. In Table A2 of the Appendix, we show that these results are robust to various bandwidth choices. We conclude that scoring just above the classroom placement exam threshold increases students' likelihood of being in a high-achieving classroom by approximately 80 percentage points.

### 5.2 Performance in High School

We next examine the short-run effects of attending high-achieving classrooms. In particular, we focus on students' academic performance during their three years of high school. Students sit for numerous common exams in various subjects throughout the year, which are meant to measure their progress in a given grade. Importantly, these exams are common across all classrooms in a given grade and year. This enables us examine whether highachieving classrooms give students an advantage in terms of high school performance, over students in regular classrooms. We look at performance on three subjects, which students are consistently tested on throughout the three years of high school: Mathematics, English and Chinese. ${ }^{19}$ Specifically, we focus on average test scores in these three subjects for each year of high school. To ease cross-cohort comparisons, we standardize scores by cohort and grade. ${ }^{20}$ We then look at whether these standardized test scores, measured in each year of high school, discontinuously change at the high-achieving classroom admissions cutoff.

For all three subjects, Figures 4 to 6 graphically show results in the first through third years of high school, respectively. Figures 4a, 5a and 6a respectively show clear and positive increases in Math performance at the threshold in years 1, 2 and 3 of high school. Figures $4 \mathrm{~b}, 5 \mathrm{~b}$ and 6 b suggest that there are also some improvements in Chinese test scores at the cutoff, but the discontinuities are visually less compelling than those for Math. On the other hand, we find no evidence of a jump at the threshold when looking at performance in English, regardless of high school year (Figures 4c, 5c and 6c).

Formal regression discontinuity estimates from equations as in (1) are presented in Table 4 using CCT optimal bandwidths that are local to the threshold. Panel A shows reduced

[^9]form local linear regression estimates on first year high school performance. Consistent with the visual evidence, we find that scoring just above the classroom placement exam threshold increases Mathematics test scores by 23 to 28 percent of a standard deviation using a triangular or uniform kernel (Columns (1) and (2)). However, we find no evidence that threshold crossing significantly impacts first-year performance in Chinese or English subjects in Columns (3) through (6).

We present reduced form effects on similar outcomes during the second year of high school in Table 4. We find strong evidence that threshold crossing increases performance in Mathematics by 27 to 31 percent of a standard deviation. We also find some evidence that performance in Chinese is also increased, though this result is not robust to kernel choice. Additionally, we find no evidence that test scores in English are improved in the second year of high school. Estimates in Panel C of Table 4 summarize effects during the final year of high school. Similar to the first two years, we find that high-achieving classroom eligibility increases performance by 23 to 25 percent of a standard deviation in Mathematics. However, we find less compelling evidence of a significant change in performance on Chinese or English test scores.

Finally, we check whether these results are robust to bandwidth choice in Appendix Tables A3 through A5. We find consistent and robust evidence that threshold crossing impacts Mathematics test scores in all three years, but had no impact on English test scores. In terms of performance in Chinese, our findings are less clear as we detect significant increases with larger bandwidths. Taken together, our results indicate that placement in a high-achieving classroom in the first year of high school substantially improves students' contemporaneous performance in math, and these benefits do not fade out as they persist until the last year of high school. On the other hand, high-achieving classrooms' effects on performance in Chinese or English are more muted.

### 5.3 Performance on College Entrance Exam and College Outcomes

We now turn to longer-term outcomes that directly impact students' university choices. We begin by looking at student performance on the high-stakes national college entrance exams. These exams are conducted at the end of high school and are the sole determinant of college eligibility in China. Figure 7a plots students' standardized college entrance exam scores as a function of the running variable. ${ }^{21}$ We see a sizable increase in college entrance

[^10]exam scores at the classroom placement exam threshold. We present formal regression results in Columns (1) and (2) of Table 5. Specifically, reduced form local linear estimates indicate that threshold-crossing increases scores on the college entrance exam by around 26 to 28 percent of a standard deviation. We also report local average treatment effects of attending high-achieving classrooms by re-scaling the intent-to-treat estimates in the second row by the previously estimated discontinuity in the likelihood of attending a high-achieving classroom. Results are shown in the third row of Table 5 and indicate that enrolling in a high-achieving classroom increases college entrance exam test scores by 34 percent of a standard deviation.

We also present effects on college entrance exam performance by subject in Appendix Figure A1 and Table A6. In particular, we focus on scores in the four main components of the exam: Mathematics, English, Chinese and a "Main Subject". The Main Subject is Sciences (i.e., an exam covering Physics, Chemistry and Biology) for students in the science concentration and Arts (i.e., an exam covering History, Politics and Geography) for those in the arts concentration. Visual evidence presented in Figure A1 indicates that high-achieving classrooms significantly improve students' scores in the Mathematics and Main Subjects components of the college entrance exam. We find weaker evidence of improvements in Chinese scores and no evidence of changes in performance on the English portion of the exam at the threshold. Regression estimates presented in Table A6 are in line with the visual evidence. We find large, robust and significant gains in the Mathematics and "Main Subjects" portion of the exam on the order of 30 to 35 percent of a standard deviation. Conversely, we find no significant impacts on Chinese and English performance.

Next, we look at crucial university choices that are directly affected by students' exam scores on the college entrance exam. In particular, we focus on four outcomes: enrolling in any Chinese university, a first-tier university, a top-100 university and a top-40 university. We present graphical RD results for these four outcomes in Panels (b) through (e) of Figure 7. Unsurprisingly, we find no visual evidence of a discontinuity in the likelihood that students attend any Chinese university (Figure 7b). This is because the high school we analyze is highly selective and the margin of interest for enrolled students is most likely college quality as opposed to just access. Indeed, almost all students around the cutoff end up enrolled in a university as shown in Figure 7b. ${ }^{22}$ As a result, we next look at effects on college quality, the more likely affected margin for students in our sample. We find no compelling visual evidence of a change in the likelihood that students attend a first-tier university (Figure 7c). This is

[^11]most likely because a significant portion of students around the cutoff end up attending a first-tier university. We therefore use a narrower definition of college quality as our outcome: enrollment in the more selective and prestigious top-100 national universities. Indeed, we find a compelling increase in the likelihood of attending top-100 national universities (Figure 7d) at the threshold. Additionally, while a linear fit suggests a potential discontinuity in the chances of attending top-40 universities (Figure 7e), this seems to be largely driven by noise, most likely because this is a rare outcome.

We turn to formal regression estimates to get a sense of the magnitude of these results. Local linear estimates presented in Columns (3) through (6) of Table 5 indicate no statistical link between being in a high-achieving classroom and the likelihood of attending any university or a first-tier university. On the other hand, we find a substantial increase in the likelihood of attending a top-100 university, with intent-to-treat estimates ranging from a 16.1 to 18.4 percentage points in columns (7) and (8) of Table 5. This translates into LATE estimates of 22.2 to 23.5 percentage points indicating that attending a high-achieving classroom increases students' chances of enrolling in a top-100 university by roughly 50 percent. In line with the visual evidence, estimates in Columns (9) and (10) are positive but fairly imprecise, precluding us from making any strong conclusions regarding the causal link between high-achieving classroom attendance and top-40 university enrollment. ${ }^{23}$ Finally, while we do not have data on students' labor market outcomes, findings from this section suggest that attending a high-achieving classroom in high school may have significant impacts on later lifetime outcomes. Indeed, Jia and Li (2021) show that the wage premium to attending a top-100 university in China ranges from 28 to 45 percent.

### 5.4 Heterogeneity Analysis

So far, we have documented significant short- and long-run gains from attending highachieving classrooms. We next examine whether our effects differ by socioeconomic status (SES). Importantly, lower-SES students are expected to realize the largest gains, as being in high-quality classrooms might reduce barriers that they typically face such as lack of resources, low teacher expectations and negative peer pressure (Card and Giuliano, 2016). While our data do not contain exact information on parental income, we observe whether students reside in urban or rural areas. We use this as a proxy for socioeconomic background, as rural areas in the province we study are particularly underdeveloped. Students residing in these areas are generally considered to be disadvantaged and have limited access to resources.

[^12]Access to out-of-school resources is particularly important in China as private tutoring is a very popular and expensive way to increase performance on the college entrance exam. Against this backdrop, high-achieving classrooms may help equalize opportunity by giving all students, regardless of income, access to high-quality college entrance exam preparation.

We begin by looking at how rural versus urban students' high school performance is affected by high-achieving classrooms. Estimates presented in Table A8 indicate that most of the previously documented gains are concentrated among students who reside in rural areas. Indeed, these students experience a 36.2 percent of a standard deviation increase in their first-year math performance and, this gain seems to persist for the second and third years. ${ }^{24}$ We find no significant changes in urban students' performance, but reduced precision-most likely due to the lower sample size - precludes us from making definitive conclusions for this sample. Similar to the overall sample, we observe no significant effects in English or Chinese grades for both samples.

We further examine longer-term outcomes in Table 6. We present reduced form and IV estimates in rows 1 and 2, respectively. Results indicate that rural students just above the high-achieving classroom cutoff score 52 percent of a standard deviation higher on the college entrance exam compared to those below the cutoff. We find no statistically significant gains for students from urban areas. Additionally, while reduced sample size precludes us from making any definitive conclusions regarding enrollment in a higher quality university, estimates presented in columns (5) through (10) suggest that any likely gains are largest for students from rural areas. Put together, while we cannot rule out that urban students gain from high-achieving classrooms, our findings suggest that students residing in rural areas are more likely to benefit. This indicates that high-achieving classrooms may help reduce barriers and equalize opportunities between students from high- and lower socioeconomic backgrounds.

### 5.5 Threats to Identification

A potential threat to identification is the possibility that students endogenously select into taking the college entrance exam. ${ }^{25}$ Indeed, if students just above the threshold are more likely to sit for the college entrance exam, then this would complicate the interpretation

[^13]of our longer-term effects. Appendix Figure A2a shows that the likelihood of opting out of the college entrance exam does not vary discontinuously at the cutoff. Formal regression estimates in Columns (1) and (2) of Table 7 also show no statistically significant link between high-achieving classroom enrollment and selection out of the college entrance exam.

An equally worrying threat to identification is if enrolling in a high-achieving classroom influences students' academic concentration choice in the second year of high school, i.e. whether they enroll in a science or arts concentration. For instance, if being in a highachieving classroom causes students to enroll in the science concentration at higher rates, then that difference, rather than a broader sense of improved classroom quality, could drive our results on longer term outcomes. To alleviate such concerns, Figure A2b plots the likelihood of choosing a science versus arts concentration as a function of the running variable. We see no evidence of a discontinuity at the cutoff. Additionally, corresponding local linear estimates presented in Columns (3) and (4) indicate that high-achieving classroom enrollment does not influence academic concentration choice the following year. This is not surprising given the very high rates of science concentration enrollment for students on either side of the cutoff.

A final concern is if students around the cutoff are discontinuously switching from highachieving to regular classrooms or vice versa after their first year classroom placement. For instance, high-achieving students may wish to concentrate in the arts in their second year of high school, which would effectively force them out of a high-achieving classroom. To examine this, we look at whether students just above the cutoff are more likely to switch between regular and high-achieving classrooms as compared to those just below. Figure A2c provides visual evidence showing that this is not a concern in our setting. We show more formal evidence of this in columns (5) and (6) of Table 7; we find no statistically significant discontinuity in the likelihood of switching classrooms after first year. Finally, to the extent that switching may occur in later years, this would only attenuate our main findings as our treatment is defined in the first year. ${ }^{26}$

[^14]
## 6 Discussion

### 6.1 Mechanisms

We now turn to the question of why there are sizable returns to being in a high-achieving classroom. As detailed in section 2.2, our discussions with high school administrators suggest that high-achieving and regular classrooms differ in terms of several important inputs into education: peer quality, class size, and teacher quality. A large body of work documents that all three of these inputs have the potential to improve students' short- and long-term academic outcomes (Sacerdote, 2011; Fredriksson, Öckert, and Oosterbeek, 2013; Chetty, Friedman and Rockoff, 2014; Jackson, 2018). One advantage of our data is that we can document whether classrooms actually differ along these dimensions and the magnitudes of those differences, allowing us to better understand the mechanisms behind our effects. We look at these three inputs in the first year of high school i.e., during the year students are initially tracked into different classrooms.

First, since students are assigned to high-achieving classrooms based on their academic performance, classrooms naturally differ in terms of peer quality. For each student, we construct a leave-one-out classroom-level peer quality measure (i.e., excluding the student themself) using peers' standardized scores on the high school entrance exam. Students take this exam prior to enrolling in high school and interacting with their high school peers. Figure 8a plots average peer exam scores, as a function of distance of students' scores from the classroom placement exam cutoff. The figure shows a large increase in classroom peer quality at the threshold. In Table 8, the first two rows of Columns (1) and (2) reveal that the reduced form effect on peer exam scores ranges from 1.065 to 1.080 standard deviations. The corresponding LATE estimates (third row) indicate that attending a high-achieving classroom is linked with having classroom peers who are, on average, 1.35 standard deviations higher ability than those found in regular classrooms.

Second, we show that students just above the classroom placement admissions cutoff are, on average, in smaller classes. Visual evidence in Figure 8b reveals a substantial drop in class size at the cutoff. Reduced form RD estimates in columns (3) and (4) of Table 8 show that scoring just above the cutoff reduces average class size by 2.8 to 3.2 students during the first year of high school. The corresponding LATE estimate indicates that students in high-achieving classrooms have an average of 4.5 less students in their classroom.

The final input we examine is teacher quality, which has been shown to be an important predictor of student performance in many other settings (Chetty, Friedman and Rockoff, 2014; Jackson, 2018). We do so by exploiting a unique feature of the Chinese education system which designates official ranks to teachers. Indeed, in our context, teachers are
awarded a rank of 1 through 3 with the higher number indicating a better ranked teacher. As detailed in Section 2.2, promotion to a higher rank is difficult to attain and teachers wishing to do so have to go through a rigorous evaluation process. Higher teacher rank has been previously shown to improve students' test scores in China (Hoekstra, Mouganie and Wang, 2018). Graphical evidence in Figure 8c indicates that students just above the cutoff are exposed to teachers with a higher rank during the first year of high school. We provide formal evidence from regressions as in equation (1) using standardized teacher rank as an outcome. Estimates from the final two columns of Table 8 show that these effects are statistically significant and that students who are eligible to enroll in high-achieving classrooms are matched with teachers who are 0.36 to 0.40 standard deviations higherranked, on average. ${ }^{27}$

We further decompose teacher rank by subject in Figure 9 and Appendix Table A11. We find that our overall teacher effects are driven by significantly better teachers in Mathematics, followed by English. We find a much smaller, but statistically significant, increase in Chinese teacher rank at the cutoff. Specifically, high-achieving classroom placement increases math teachers' rank by 1.9 standard deviations, English teachers' rank by 0.886 standard deviations, and Chinese teachers' rank by a marginally significant 0.2 standard deviations. At first glance, the fact that we observe an increase in English teacher rank but no improvement in English test scores at the cutoff, suggests that teacher rank may not explain our main effects. However, previous studies find that while teacher quality is a strong predictor of math achievement, it has a much weaker effect on performance in English. This is because mathematics is believed to be mainly learned in the classroom, while English skills are often acquired outside of school (Jackson, Rockoff and Staiger, 2014).

We show that our findings on teachers are robust to various definitions of teacher quality. We first provide estimates using a binary definition of teacher quality. Specifically, we use as an outcome a dummy variable that equals 1 if a teacher has the highest rank (or is a "top teacher"), and 0 if he/she is of lower rank. Using this definition, Appendix Figure A3a shows that threshold-crossing leads to approximately a 10 percentage point increase in the likelihood that students match with top teachers. We further use teacher salaries and years of experience as alternative measures of teacher quality. Teachers in China are paid according to a salary scale ranging from 7 to 40 , with a higher number indicating a higher pay scale. Appendix Figure A3b reveals a large and significant increase in teachers' salary scale at the cutoff. Finally, Appendix Figure A3c indicates that students who are eligible to attend highachieving classrooms are matched to teachers who have 2 additional years of experience,

[^15]on average. These findings are in line with those using our initial definition of teacher quality and indicate that students who score above the classroom placement exam threshold are matched with significantly higher quality teachers. Taken together, these results indicate that improved teacher quality is likely to explain at least part of our high-achieving classroom effects.

While our analysis so far reveals that students in high-achieving classrooms receive better educational inputs, it does not allow us to understand which of these inputs best explains our results. In an effort to disentangle the exact mechanisms at play, we leverage the fact that students, who score below the cutoff on the classroom placement exam, are randomly allocated to regular classrooms. Specifically, we run an OLS regression of these students' test scores on all three class-level inputs. This allows us to quantify which of the three inputs better explains students' academic performance in our setting and hence, provide suggestive evidence regarding which input is driving the documented benefits of high-achieving classrooms. Table 9 shows estimates from regressing regular classroom students' first-year exam scores on class-level peer quality, teacher rank and class size, while also controlling for scores on the high school placement exam taken before enrolling at the high school.

Column (1) reveals that in the overall sample, none of these inputs significantly predict first-year performance. We next look at effects based on the level of ability of students in regular classrooms. Indeed, higher-ability students in regular classrooms are more similar than others to those in high-achieving classrooms, as many of them may have barely missed the CPE cutoff. Column (2) shows that higher-ability students in regular classrooms experience a significant 0.195 standard deviation increase in their test scores from having a one standard deviation higher-ranked teacher. On the other hand, both class size and peer quality do not have statistically significant impacts on these students' test scores. Lower-ability students also see no test score improvements from better peer quality or smaller class size, but they seem negatively affected by higher-ranked teachers-although this estimate is not statistically significant at the $5 \%$ level. Overall, results from this analysis suggest that higher teacher quality explains why students benefit from being in high-achieving classrooms. This is in line with previous evidence from China showing that students benefit academically from enrolling in selective high schools due to exposure to higher quality teachers (Hoekstra, Mouganie and Wang, 2018).

In summary, findings from this section reveal that students who are marginally placed in high-achieving classrooms are exposed to higher-quality peers and teachers, as well as smaller class sizes. We cannot completely rule out that the short and longer-term benefits of high-achieving classrooms are due to peer quality and class size. However, the fact that we find positive effects on high-ability students' academic performance from higher quality
teachers coupled with the lack of effects from peer quality or class size, suggests that teachers may be the largest driver of our documented findings.

### 6.2 Results from Two Additional High Schools

The data we use so far are taken from Qingyang First High School. A natural question is whether our results extend to other Chinese high schools and settings. To address this question, we collect additional student-level data from two other high schools: Zhenyuan High School and Pingquan High School. Like Qingyang First High School, these schools also have high-achieving classrooms and students are placed in these classrooms based on a combination of available seats and their scores on common exams. This classroom assignment mechanism creates a score cutoff for each cohort at these two schools, whereby students whose scores are below the cutoff are assigned to regular classrooms and those scoring above are allocated to high-achieving classrooms. This allows us to use a regression discontinuity design, similar to the one described in section 4.1, to identify the causal effect of high-achieving classrooms on students' academic outcomes at Zhenyuan and Pingquan high schools. A couple of distinct features of these two additional schools are that each of them offers only one high-achieving classroom per cohort (as opposed to two for the school in our main analysis) and they use scores on the high school entrance exam to select students into high-achieving classrooms (as opposed to the classroom placement exam specific to Qingyang First High School).

These schools further differ from Qingyang First High School in two important ways, allowing us to assess whether our results replicate in different settings. First, the two schools are located in a different county than the high school used in our main analysis. All three high schools are located in the prefecture of Qingyang within the province of Gansu, but Qinyang First High School is in Xifeng district while the two new schools are in Zhenyuan county. ${ }^{28}$ This is important as Xifeng district and Zhenyuan county provide us with substantially different settings. Specifically, compared to Xifeng district, Zhenyuan county, where our two new schools are located (i) is larger in size and population (with a geographical area of 1,400 square miles and a population of 528,076 individuals as of 2018 versus 384.69 square miles and a population of around 380,000 ) but, (ii) has lower population density ( $390 / \mathrm{sq} \mathrm{mi}$ versus $980 / \mathrm{sq} \mathrm{mi}$ ) and, (iii) has a lower GDP per capita ( $\$ 3,124$ versus $\$ 5,130$ as of 2020). Additionally, Zhenyuan is a rural county while Xifeng is urban and is the seat of the Qingyang prefecture. Second, the two new schools differ

[^16]from the one we use in our main analysis in their selectivity and hence the average ability of their student body. Specifically, Qingyang First High School is the most selective high school in the entire Qingyang prefecture. On the other hand, Zhenyuan and Pingquan high Schools are the most and second most selective high schools within their county, but are both noticeably less selective than the school used in our main analysis.

Data and Summary Statistics The goal of our additional analysis is to understand whether students at Zhenyuan and Pingquan high schools benefit from high-achieving classrooms in a similar way to those in Qingyang First High School. To do so, we collected student-level data directly from these two additional schools. We were able to get information on cohorts who first enrolled at Zhenyuan high school in 2012, 2013, 2016, 2017 and 2018, and at Pingquan High school in 2017 and 2018. We also have outcomes similar to those used in our main analysis including the classroom they were assigned to, as well scores on common exams taken throughout the three years of high school and on the national college entrance exam or Gaokao. We also obtained students' scores on the high school entrance exam (HET), which are used to assign students to high-achieving versus regular classrooms. A couple of caveats are that unlike the school used in our main analysis, we do not have information on baseline covariates or the name of the university that students eventually enroll in.

Table A12 presents summary statistics for all three high schools using the 2017 entering cohort, which is the only common cohort across the three schools. In line with the schools' level of selectivity, average students at Qingyang First High School consistently perform the best on several common exams followed by Zhenyuan and then Pingquan (column 1). Indeed, the average high school entrance exam score for students attending Qinyang High School in 2017 is 849 out of a possible 1,000 points with a standard deviation of 31 points indicating little dispersion. On the other hand, students in Zhenyuan High School score, on average, 776 points on the same exam with a large standard deviation of 90 points. Students in the least selective of these schools (Pingquan High School) score an average of 668 points with a standard deviation of 76 . This pattern is also evident when looking at performance on the college entrance exam (or Gaokao) and the share of students choosing the science track.

Interestingly however, students at the margin of enrolling in high-achieving classrooms (in column 2) are more comparable across all three schools - especially at Qingyang First and Zhenyuan which are both the most selective schools within their district/county. For these students, the average score on the high school entrance exam is 857 and 844 at Qingyang First and Zhenyuan, respectively. The similarity in marginal students' scores
between Qingyang First and Zhenyuan is interesting because it allows us to see whether our results hold when looking at students who are comparable in their average ability but differ in the type of schools they attend-i.e., Qingyang First high is urban, more selective and higher-income than the rural Zhenyuan. In our third school Pingquan, the average score for the marginal student is noticeably lower than both Qingyang First and Zhenyuan at around 750 with a standard deviation of 58 . This enables us to assess whether lower-ability students can also benefit from being placed in high-achieving classrooms.

Results We first show that Zhenyuan and Pingquan students were indeed tracked into high-achieving classrooms based on their previous academic performance. For both high schools, Panels A and B of Figure A4 plot the likelihood of enrolling in a high-achieving classroom as a function of students' HET performance. Both graphs reveal large and positive discontinuities at the cutoff. Regression discontinuity estimates in Table A13 indicate that Zhenyuan and Pingquan students are respectively 76 and 81 percentage points more likely to be in a high-achieving classroom if they score marginally above the HET cutoff.

We next explore whether these students' high school performance is positively impacted by being in high-achieving classrooms. We focus on measures of high school performance that are similar to those used in our main analysis-i.e., Math, Chinese and English test scores in all three years of high school. The different panels in Figures A5 and A6 plot scores on each of these subjects-averaged across all three years of high school-as a function of the running variable for both Zhenyuan and Pingquan students, respectively. While precision is reduced in the case of Pingquan, the figures are nonetheless quite consistent with our main results. Specifically, in both high schools, math test scores show a positive discontinuity at the cutoff while no clear discontinuities are apparent for Chinese. Interestingly however, Zhenyuan students also seem to increase their English test scores, suggesting that high-achieving classrooms may improve foreign language acquisition for rural lower-income students. Regression estimates in Table 10 show that Zhenyuan students raise both their math and English test scores by around 0.28 standard deviations, while Pingquan students increase their math scores by 0.4 standard deviations. In Figure A7 and Table 11, we look at a longer-term and high-stake measure of performance: scores on the national college entrance exam or Gaokao. Consistent with our main analysis, we find that Zhenyuan students clearly raise their Gaokao performance by 0.295 standard deviations. Precision is somewhat reduced in the case of Pingquan but regression estimates still nonetheless indicate a significant 0.535 standard deviations increase in Gaokao scores.

Overall, results from these two additional schools indicating that students benefit both in the short- and longer-run from high-achieving classrooms, are quite consistent with our main
analysis. The magnitudes of Zhenyuan's estimates are also quite comparable to those from the school used in our main analysis, suggesting that high-performing students largely benefit from high-achieving classrooms regardless of the type of school they attend. For Pingquan, the school with the lowest-achieving students, the magnitudes of the estimates are substantially higher than both Zhenyuan and Qingyang First, which suggest that lower-achieving students stand to benefit more than high-performers from high-achieving classrooms.

## 7 Conclusion

This paper provides new evidence on the impacts of high-achieving classrooms on high school students' long-term academic success. We collect rich and unique data from a large and selective high school in China, where first-year students are allocated into high-achieving and regular classrooms solely based on their performance on a common exam. Using a regression discontinuity design, we show that placement in a high-achieving classroom largely improves performance in math in all three years of high school. The benefits of high-achieving classrooms persist even after students graduate from high school. Indeed, being in a highachieving classroom increases students' scores on the high-stakes national college entrance exam by approximately 0.28 standard deviations. Additionally, we find that while highachieving classrooms do not impact access to college, they do increase students' enrollment in the most prestigious and selective Chinese universities (i.e., in the top 100 or Project 211 universities) by 50 percent. Since attending these universities has been previously shown to substantially increase future wages (Jia and Li, 2021), our results suggest that enrolling in high-achieving classrooms can have large labor market returns.

Our data allow us to explore the mechanisms driving the benefits of high-achieving classrooms. We show that students assigned to high-achieving classrooms are exposed to higher-ability peers and smaller class sizes, compared to those placed in regular classrooms. Additionally, students in high-achieving classrooms are exposed to teachers who are higherranked, earn higher salaries and have more years of teaching experience. Additional analysis suggests that exposure to better teachers mainly explains why students benefit from highachieving classrooms.

Our finding that students substantially benefit from high-achieving classrooms has important implications for current policy debates on the costs and benefits of school tracking. Indeed, separating students into achievement-based classrooms is highly controversial as opponents argue that it may exacerbate socioeconomic inequalities and question its potential benefits. These arguments have pushed several school districts in the United States and Canada to consider eliminating this type of tracking. While our results can-
not speak to whether tracking exacerbates socioeconomic inequalities, they do indicate that high-achieving students may miss out on substantial benefits if they lose the opportunity to attend high-achieving classrooms.

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## A Figures



Figure 1: Test of running variable density smoothness around cutoff
Notes: Sample includes students who entered high school from 2015 to 2017. Bars represent frequency distribution over a 5 point score range. The above figure implements manipulation testing procedures using the local polynomial density estimators proposed in Cattaneo, Jansson and Ma (2020). We estimate a p-value of 0.495 and are able to formally reject the existence of a discontinuity in the density function at the cutoff.


Figure 2: Test of Smoothness of Baseline Covariates

Notes: Sample includes students who entere3Ghigh school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure 3: First Stage-Likelihood of Enrolling in a High-Achieving Classroom
Notes: Sample includes students who entered high school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure 4: First Year High School Grades
Notes: Sample includes students who enterebsigh school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure 5: Second Year High School Grades
Notes: Sample includes students who enterebMhigh school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure 6: Third Year High School Grades
Notes: Sample includes students who entered 4 high school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Notes: Sample includes students who entered high school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure 8: Mechanisms

Notes: Sample includes students who entered high school from 2015 to 2017. All figures represent first-year tracking averages. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff. Classroom teacher quality is based on a teacher's rank which is classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank. Teacher ranks are not automatic and are generally based on teaching performance and publications.


Figure 9: Average Classroom Teacher Quality By Main Subjects
Notes: Sample includes students who entered high school from 2015 to 2017. All figures represent first-year tracking averages. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff. Classroom teacher quality is based on a teacher's rank which is classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank. Teacher ranks are not automatic and are generally based on teaching performance and publications.

## B Tables

Table 1: Summary statistics

| Overall Sample | Marginal Sample |
| :---: | :---: | :---: |
| $(1)$ | $(2)$ |

## A) Student Characteristics

| Proportion Male | 0.532 | 0.529 |
| :--- | :---: | :---: |
| Proportion from Urban area | 0.560 | 0.575 |
| High School Entrance Exam Score | 790.5 | 796.9 |
|  | $(88.96)$ | 429.95 |
| Classroom Placement Exam Score (Running Variable) | 413.4 | $(39.25)$ |
| Proportion of students in high-achieving classroom | $(56.49)$ | 0.173 |
| Year 1 High School Scores (Standardized) | 0.137 | 0.404 |
| Year 2 High School Scores (Standardized) | 0.016 | 0.353 |
| Year 3 High School Scores (Standardized) | 0.005 | 0.329 |
| Proportion Selecting Science Track | -0.016 | 0.898 |
| College Entrance Exam Scores (Science Track) | 0.871 | 522.10 |
|  | 510.77 | $(61.63)$ |
| College Entrance Exam Scores (Arts Track) | $(64.64)$ | 541.48 |
|  | 527.46 | $(54.94)$ |
| Proportion Not Sitting for College Entrance Exam | $(54.84)$ | 0.045 |
| Proportion Enrolled in any Chinese University | 0.048 | 0.925 |
| Proportion Enrolled in Tier-1 University | 0.900 | 0.720 |
| Proportion Enrolled in Top-100 University | 0.644 | 0.294 |
| Proportion Enrolled in Top-40 University | 0.246 | 0.144 |
| Number of Students | 0.116 | 1,788 |

## B) Classroom-level Characteristics

| Class Size | 58.66 | 58.67 |
| :--- | :---: | :---: |
|  | $(7.07)$ | $(6.97)$ |
| Teacher Salary Scale | 22.16 | 22.31 |
|  | $(7.90)$ | $(7.98)$ |
| Teacher Experience (Years) | 16.84 | 16.92 |
|  | $(10.10)$ | $(10.21)$ |
| Proportion of Top-Teachers | 0.258 | 0.264 |
| Number of Classrooms | 43 | 43 |
| Number of Top-Classrooms | 6 | 6 |

Notes: Sample in Column (1) includes all students who first enrolled in high school in the academic years 2015 to 2017. The marginal sample in Column (2) contains all students scoring within 75 points on either sides of the classroom placement exam cutoff. High school testyscores are standardized by year of entry (i.e. by cohort) for each grade. Classroom-level characteristics represent averages across all three years of high school.

Table 2: Baseline covariates balance tests

| Outcome | Student is Male |  | High School Entrance Exam Scores |  | Urban <br> Area |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Estimated Discontinuity | $\begin{aligned} & -0.031 \\ & (0.085) \end{aligned}$ | $\begin{aligned} & -0.019 \\ & (0.080) \end{aligned}$ | $\begin{aligned} & -0.063 \\ & (0.083) \end{aligned}$ | $\begin{aligned} & -0.037 \\ & (0.084) \end{aligned}$ | $\begin{gathered} 0.059 \\ (0.076) \end{gathered}$ | $\begin{gathered} 0.063 \\ (0.073) \end{gathered}$ |
| Observations | 1,207 | 1,207 | 837 | 837 | 1,303 | 1,303 |
| Bandwidth | CCT | CCT | CCT | CCT | CCT | CCT |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |
| Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. All regressions include year fixed effects. High school entrance exam scores are standardized by year. Robust standard errors reported in parentheses. *** $\mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05$ * $\mathrm{p}<0.1$ |  |  |  |  |  |  |

Table 3: First stage - Enrollment in a high-achieving classroom

| Outcome | Likelihood High-achiev (1) | Enrolling in Classroom (2) |
| :---: | :---: | :---: |
| Estimated Discontinuity | $\begin{gathered} 0.811^{* * *} \\ (0.055) \end{gathered}$ | $\begin{gathered} 0.794^{* * *} \\ (0.051) \end{gathered}$ |
| With Controls | $\begin{gathered} 0.787^{* * *} \\ (0.051) \end{gathered}$ | $\begin{gathered} 0.775^{* * *} \\ (0.047) \end{gathered}$ |
| Observations | 1,174 | 1,174 |
| Bandwidth Kernel | $\overline{\mathrm{CCT}}$ <br> Triangular | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Uniform } \end{gathered}$ |
| Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05$ * $\mathrm{p}<0.1$ |  |  |

Table 4: Average test scores during three years of high school

| Outcome | Math Grades |  | Chinese Grades |  | English Grades |  |
| :--- | :--- | :--- | :--- | ---: | ---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |  |

## A) First Year

| Estimated Discontinuity | $0.232^{* *}$ | $0.284^{* * *}$ | -0.034 | 0.068 | -0.051 | 0.006 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.102)$ | $(0.087)$ | $(0.130)$ | $(0.116)$ | $(0.117)$ | $(0.107)$ |
|  |  |  |  |  |  |  |
| With Controls | $0.226^{* *}$ | $0.282^{* * *}$ | -0.049 | 0.051 | -0.076 | -0.004 |
|  | $(0.095)$ | $(0.082)$ | $(0.118)$ | $(0.106)$ | $(0.104)$ | $(0.095)$ |
| Observations | 1,082 | 1,082 | 927 | 927 | 1,192 | 1,192 |

## B) Second Year

| Estimated Discontinuity | $0.270^{*}$ | $0.316^{* *}$ | 0.209 | $0.288^{* *}$ | 0.037 | 0.159 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.145)$ | $(0.127)$ | $(0.150)$ | $(0.140)$ | $(0.114)$ | $(0.111)$ |
|  |  |  |  |  |  |  |
| With Controls | $0.271^{*}$ | $0.313^{* *}$ | 0.201 | $0.267^{* *}$ | -0.001 | 0.115 |
|  | $(0.139)$ | $(0.124)$ | $(0.136)$ | $(0.129)$ | $(0.107)$ | $(0.104)$ |
| Observations | 814 | 814 | 727 | 727 | 1,078 | 1,078 |

## C) Third Year

| Estimated Discontinuity | 0.226 | $0.253^{*}$ | 0.131 | 0.173 | 0.060 | 0.097 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.143)$ | $(0.130)$ | $(0.140)$ | $(0.135)$ | $(0.114)$ | $(0.104)$ |
|  |  |  |  |  |  |  |
| With Controls | $0.247^{*}$ | $0.257^{* *}$ | 0.124 | 0.162 | 0.036 | 0.075 |
|  | $(0.134)$ | $(0.125)$ | $(0.135)$ | $(0.132)$ | $(0.109)$ | $(0.100)$ |
| Observations | 769 | 769 | 742 | 742 | 1,157 | 1,157 |
| Bandwidth | CCT | CCT | CCT | CCT | CCT | CCT |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Test scores are standardized by subject-year in year 1 and subject-year-track in years 2 and 3 . Robust standard errors reported in parentheses. *** $\mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05$ * $\mathrm{p}<0.1$

Table 5: Long run educational outcomes

| Outcome | College Entrance Exam Scores <br> (1) <br> (2) |  | $\begin{gathered} \text { Enroll in } \\ \text { Any University } \end{gathered}$(3) |  | Enroll in First-Tier University <br> (5) <br> (6) |  | Enroll in Top-100 University <br> (7) |  | Enroll in Top-40 University (9) <br> (10) |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |
| Estimated Discontinuity | $\begin{gathered} 0.278^{* *} \\ (0.139) \end{gathered}$ | $\begin{gathered} 0.284^{* *} \\ (0.135) \end{gathered}$ | $\begin{array}{r} -0.013 \\ (0.030) \end{array}$ | $\begin{array}{r} 0.010 \\ (0.032) \end{array}$ | $\begin{array}{r} 0.019 \\ (0.058) \end{array}$ | $\begin{array}{r} 0.048 \\ (0.055) \end{array}$ | $\begin{gathered} 0.161^{*} \\ (0.085) \end{gathered}$ | $\begin{gathered} 0.182^{* *} \\ (0.076) \end{gathered}$ | $\begin{array}{r} 0.060 \\ (0.085) \end{array}$ | $\begin{array}{r} 0.101 \\ (0.077) \end{array}$ |
| With Controls | $\begin{gathered} 0.260^{* *} \\ (0.135) \end{gathered}$ | $\begin{gathered} 0.265^{* *} \\ (0.132) \end{gathered}$ | $\begin{gathered} -0.018 \\ (0.030) \end{gathered}$ | $\begin{array}{r} 0.007 \\ (0.032) \end{array}$ | $\begin{array}{r} 0.019 \\ (0.058) \end{array}$ | $\begin{array}{r} 0.041 \\ (0.054) \end{array}$ | $\begin{gathered} 0.169^{* *} \\ (0.084) \end{gathered}$ | $\begin{gathered} 0.184^{* *} \\ (0.075) \end{gathered}$ | $\begin{array}{r} 0.062 \\ (0.082) \end{array}$ | $\begin{array}{r} 0.103 \\ (0.075) \end{array}$ |
| IV Estimate (With Controls) | $\begin{gathered} 0.339^{*} \\ (0.181) \end{gathered}$ | $\begin{gathered} 0.338^{*} \\ (0.171) \end{gathered}$ | $\begin{gathered} -0.023 \\ (0.039) \end{gathered}$ | $\begin{array}{r} 0.009 \\ (0.041) \end{array}$ | $\begin{array}{r} 0.025 \\ (0.078) \end{array}$ | $\begin{array}{r} 0.053 \\ (0.071) \end{array}$ | $\begin{gathered} 0.222^{* *} \\ (0.110) \end{gathered}$ | $\begin{gathered} 0.235^{* *} \\ (0.098) \end{gathered}$ | $\begin{array}{r} 0.082 \\ (0.109) \end{array}$ | $\begin{array}{r} 0.135 \\ (0.099) \end{array}$ |
| Observations | 1,231 | 1,231 | 954 | 954 | 796 | 796 | 1,097 | 1,097 | 949 | 949 |
| Bandwidth Kernel | $\begin{gathered} \hline \text { CCT } \\ \text { Triangular } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Uniform } \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Triangular } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Uniform } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Triangular } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Uniform } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Triangular } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \text { CCT } \\ \text { Uniform } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Triangular } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \hline \text { CCT } \\ \text { Uniform } \\ \hline \end{gathered}$ |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. College Entrance Exam scores are standardized by year and track. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table 6: Long run educational outcomes for urban and rural students

| Outcome | College Entrance Exam Scores <br> (1) <br> (2) |  | Enroll in Any University <br> (3) <br> (4) |  | Enroll in First-Tier University <br> (5) <br> (6) |  | Enroll in Top-100 University <br> (7) <br> (8) |  | Enroll in <br> Top-40 University <br> (9) <br> (10) |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sub-sample | Urban | Rural | Urban | Rural | Urban | Rural | Urban | Rural | Urban | Rural |
| Estimated Discontinuity | $\begin{array}{r} 0.096 \\ (0.157) \end{array}$ | $\begin{gathered} 0.525^{* *} \\ (0.259) \end{gathered}$ | $\begin{array}{r} -0.019 \\ (0.031) \end{array}$ | $\begin{array}{r} 0.006 \\ (0.060) \end{array}$ | $\begin{gathered} -0.003 \\ (0.076) \end{gathered}$ | $\begin{array}{r} 0.064 \\ (0.083) \end{array}$ | $\begin{array}{r} 0.163 \\ (0.100) \end{array}$ | $\begin{array}{r} 0.194 \\ (0.154) \end{array}$ | $\begin{array}{r} 0.051 \\ (0.104) \end{array}$ | $\begin{array}{r} 0.061 \\ (0.143) \end{array}$ |
| IV Estimate | $\begin{array}{r} 0.112 \\ (0.185) \end{array}$ | $\begin{gathered} 0.795^{*} \\ (0.469) \end{gathered}$ | $\begin{gathered} -0.023 \\ (0.039) \end{gathered}$ | $\begin{array}{r} 0.011 \\ (0.093) \end{array}$ | $\begin{array}{r} -0.004 \\ (0.095) \end{array}$ | $\begin{array}{r} 0.102 \\ (0.136) \end{array}$ | $\begin{array}{r} 0.200 \\ (0.123) \end{array}$ | $\begin{array}{r} 0.296 \\ (0.238) \end{array}$ | $\begin{array}{r} 0.063 \\ (0.126) \end{array}$ | $\begin{array}{r} 0.095 \\ (0.224) \end{array}$ |
| Observations | 662 | 497 | 558 | 367 | 492 | 323 | 686 | 460 | 588 | 385 |


| Observations | 662 | 497 | 558 | 367 | 492 | 323 | 686 | 460 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Notes: Sample includes students who entered high school from 2015 | to | 2017 . Urban students are those residing in urban areas while rural students |  |  |  |  |  |  | are those residing in less developed rural areas. All estimates are from local linear regressions using a triangular kernel. We use the CCT bandwidth predictor based on the overall sample in order to use the same bandwidth for the rural and urban sample. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, high school entrance exam scores and year fixed effects. College Entrance Exam scores are standardized by year and track. Robust standard errors reported in parentheses. ${ }^{* * *}$ p $<0.01$ ** p $<0.05{ }^{*}$ p $<0.1$

Table 7: Robustness check-Selection issues

| Outcome | Selection Out of |  | Selection Into |  | Switching <br> College Entrance Exam |  | Science Concentration <br> Classrooms |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |  |  |
|  |  |  |  |  |  |  |  |  |
| Estimated Discontinuity | 0.043 | 0.037 | 0.007 | 0.014 | -0.018 | -0.004 |  |  |
|  | $(0.039)$ | $(0.035)$ | $(0.043)$ | $(0.038)$ | $(0.040)$ | $(0.033)$ |  |  |
|  |  |  |  |  |  |  |  |  |
| Observations | 873 | 873 | 997 | 997 | 1,134 | 1,134 |  |  |
| Bandwidth | CCT | CCT | CCT | CCT | CCT | CCT |  |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |  |  |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. All regressions include year fixed effects. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table 8: Mechanisms

| Outcome | Classroom Peer Quality |  | Classroom Size |  | ClassroomTeacher Quality |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) |  |  |
| Estimated Discontinuity | $\begin{gathered} 1.065 * * * \\ (0.085) \end{gathered}$ | $\begin{gathered} 1.080^{* * *} \\ (0.080) \end{gathered}$ | $\begin{gathered} -3.287^{* *} \\ (1.460) \end{gathered}$ | $\begin{gathered} -2.830^{* *} \\ (1.318) \end{gathered}$ | $\begin{gathered} 0.360^{* * *} \\ (0.045) \end{gathered}$ | $\begin{gathered} 0.368^{* * *} \\ (0.040) \end{gathered}$ |
| With Controls | $\begin{gathered} 1.018^{* * *} \\ (0.073) \end{gathered}$ | $\begin{gathered} 1.040^{* * *} \\ (0.070) \end{gathered}$ | $\begin{gathered} -3.968^{* * *} \\ (0.958) \end{gathered}$ | $\begin{gathered} -3.268^{* * *} \\ (0.883) \end{gathered}$ | $\begin{gathered} 0.405^{* * *} \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.409^{* * *} \\ (0.032) \end{gathered}$ |
| IV Estimate (With Controls) | $\begin{gathered} 1.344^{* * *} \\ (0.039) \end{gathered}$ | $\begin{gathered} 1.371^{* * *} \\ (0.036) \end{gathered}$ | $\begin{gathered} -5.285 * * * \\ (1.302) \end{gathered}$ | $\begin{gathered} -4.267^{* * *} \\ (1.173) \end{gathered}$ | $\begin{gathered} 0.511 * * * \\ (0.028) \end{gathered}$ | $\begin{gathered} 0.513^{* * *} \\ (0.025) \end{gathered}$ |
| Observations | 768 | 768 | 724 | 724 | 1,325 | 1,325 |
| Bandwidth | CCT | CCT | CCT | CCT | CCT | CCT |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. All class-level mechanisms are estimated in the first year of tracking. Peer quality is standardized and based on students' performance in high school entrance exam. Teacher quality is standardized and based on based on teachers' rank which is classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank. Teacher ranks are not automatic and are generally based on teaching performance and publications. Robust standard errors reported in parentheses. ${ }^{* * *}$ p $<0.01{ }^{* *} \mathrm{p}<0.05{ }^{*} \mathrm{p}<0.1$

Table 9: OLS regression of first-year test scores on high school class-level inputs for students in regular classrooms

|  | All Students | Higher Ability Students | Lower Ability Students |
| :--- | ---: | ---: | ---: |
| $(1)$ | $(2)$ | $(3)$ |  |
| Peer Quality (Standardized) | -0.005 |  |  |
|  | $(0.004)$ | -0.003 | -0.003 |
| Teacher Quality (Standardized) | 0.020 | $(0.006)$ | $(0.006)$ |
|  | $(0.060)$ | $0.195^{* *}$ | $-0.161^{*}$ |
| Class size | 0.002 | $(0.086)$ | $(0.082)$ |
|  | $(0.002)$ | 0.001 | 0.003 |
|  |  | $(0.002)$ | $(0.002)$ |
| Number of Students | 2,221 | 1,072 | 1,149 |
| Number of Classrooms | 41 | 41 | 41 |

Note: Sample includes students who entered high school from 2015 to 2018 and who were not placed into high-achieving classrooms. Higher ability students are those who scores are above the median on the high school entrance exam. Lower ability students are those who scored below the median on the high school entrance exam. The outcome in all regressions is the average score in all first year common exams and standardized by year. All regressions also include controls for high school entrance exam scores taken prior to enrollment. All class-level mechanisms are estimated in the first year of tracking. Peer quality is standardized and based on students' performance in high school entrance exam. Teacher quality is standardized and based on teachers' rank which is classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank. Standard errors are clustered at the student level due to repeated observations and are reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table 10: Average high school test scores based on two additional high schools

| Outcome | Math Grades |  | Chinese Grades |  | English Grades |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |

## A) Zhenyuan High School:

| Estimated Discontinuity |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Average of all three years | $0.283^{* * *}$ | $0.294^{* * *}$ | -0.024 | 0.003 | $0.251^{* * *}$ | $0.286^{* * *}$ |
|  | $(0.077)$ | $(0.079)$ | $(0.081)$ | $(0.075)$ | $(0.070)$ | $(0.068)$ |
| Observations | 1,463 | 1,463 | 1,822 | 1,822 | 1,103 | 1,103 |

B) Pingquan High School

Estimated Discontinuity

| Average of all three years | $0.431^{* *}$ <br> $(0.201)$ | $0.483^{* *}$ | -0.064 | -0.026 | 0.176 | 0.126 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1,077 | 1,077 | $(0.106)$ | $(0.093)$ | $(0.128)$ | $(0.123)$ |
| Observations | CCT | CCT | 944 | 944 | 580 | 580 |
| Bandwidth | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |
| Kernel |  |  | CCT | CCT | CCT |  |

Notes: Sample includes students who entered Zhenyuan High School in 20012, 2013, 2016, 2017, 2018 and 2019 as well as students who entered Pingquan High School in 2017 and 2018. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include year fixed effects. Test scores are standardized by subject-year in year 1 and subject-yeartrack in years 2 and 3. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table 11: College Entrance Exam Scores based on two additional high schools

| Outcome | College Entrance <br> Exam Scores <br> $(1)$ |  |
| :--- | :---: | :---: |
|  | (2) |  |

## C Appendix Figures



## Figure A1: College Entrance Exam Scores by Subject

Notes: Sample includes students who entered high school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff. Main subject scores are physics, chemistry, and biology for the science track and history, politics, and geography for the arts track.

(a) Likelihood of opting out of College Entrance Exam

(b) Selection into science concentration in second year of high school

(c) Likelihood of switching classrooms

Figure A2: Robustness Check-Selection issues
Notes: Sample includes students who entered high school from 2015 to 2017. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure A3: Alternative Definitions of Teacher Quality

Notes: Sample includes students who entered high school from 2015 to 2017. All figures represent mechanisms from first year tracking. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff. A teacher's rank is generally classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank.Our binary definition of teacher quality defines senior rank teachers as top and first and second rank teachers as non-top. The teacher salary scale ranges from 9 to 40 with 40 being the highest.

(a) Likelihood of enrolling in high-achieving classroom in Zhenyuan High School

(b) Likelihood of enrolling in high-achieving classroom in Pingquan High School

Figure A4: First Stage-Likelihood of Enrolling in High Achieving Classrooms from Additional Schools

Notes: Sample includes students who entered Zhenyuan High School in 2012, 2013, 2016, 2017, 2018 and 2019 as well as students who entered Pingquan High School in 2017 and 2018. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.

(c) English Test Scores

Figure A5: Average High School Test Scores in Zhenyuan High School

Notes:Sample includes students who entered Zhenyuan High School in 2012, 2013, 2016, 2017, 2018 and 2019. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.


Figure A6: Average High School Test Scores in Pingquan High School
Notes:Sample includes students who entered Pingquan High School in 2017 and 2018. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.

(a) College Entrance Exam scores in Zhenyuan High School

(b) College Entrance Exam scores in Pingquan High School

Figure A7: College Entrance Exam scores based on two additional schools
Notes: Sample includes students who entered Zhenyuan High School in 2012, 2013, 2016, 2017, 2018 and 2019 as well as students who entered Pingquan High School in 2017 and 2018. Bins represent local averages over a 5 point score range. All figures are drawn using a linear fit on either side of the cutoff.

## D Appendix Tables

Table A1: Baseline covariates balance tests using different bandwidths

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Student is male | $\begin{gathered} -0.048 \\ (0.066) \end{gathered}$ | $\begin{aligned} & -0.026 \\ & (0.061) \end{aligned}$ | $\begin{aligned} & -0.048 \\ & (0.056) \end{aligned}$ | $\begin{aligned} & -0.057 \\ & (0.053) \end{aligned}$ | $\begin{aligned} & -0.053 \\ & (0.053) \end{aligned}$ | $\begin{aligned} & -0.048 \\ & (0.051) \end{aligned}$ |
| High School Entrance Exam Scores | $\begin{gathered} 0.002 \\ (0.069) \end{gathered}$ | $\begin{gathered} 0.026 \\ (0.076) \end{gathered}$ | $\begin{gathered} 0.007 \\ (0.065) \end{gathered}$ | $\begin{gathered} -0.001 \\ (0.073) \end{gathered}$ | $\begin{gathered} 0.008 \\ (0.066) \end{gathered}$ | $\begin{gathered} 0.039 \\ (0.074) \end{gathered}$ |
| Reside in Urban Area | $\begin{gathered} 0.068 \\ (0.064) \end{gathered}$ | $\begin{gathered} 0.075 \\ (0.059) \end{gathered}$ | $\begin{gathered} 0.065 \\ (0.054) \end{gathered}$ | $\begin{gathered} 0.068 \\ (0.050) \end{gathered}$ | $\begin{gathered} 0.064 \\ (0.051) \end{gathered}$ | $\begin{gathered} 0.052 \\ (0.049) \end{gathered}$ |
| Observations | 1,245 | 1,245 | 1,788 | 1,788 | 2,092 | 2,092 |
| Bandwidth | 50 |  | 75 |  | 100 |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. All regressions include year fixed effects. High school entrance exam scores are standardized by year. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}$ $<0.05$ * p $<0.1$

Table A2: First stage - Likelihood of enrolling in a high-achieving classroom using different bandwidths
(1)
(2)
(3)
(4)
(5)
(6)

## First Stage

| Estimated Discontinuity | $0.775^{* * *}$ <br> $(0.041)$ | $0.786^{* * *}$ <br> $(0.036)$ | $0.788^{* * *}$ <br> $(0.035)$ | $0.798^{* * *}$ <br> $(0.031)$ | $0.794^{* * *}$ <br> $(0.033)$ | $0.800^{* * *}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |
| With Controls | $0.766^{* * *}$ | $0.781^{* * *}$ | $0.782^{* * *}$ | $0.794^{* * *}$ | $0.790^{* * *}$ | $0.796^{* * *}$ |
|  | $(0.040)$ | $(0.035)$ | $(0.034)$ | $(0.031)$ | $(0.032)$ | $(0.030)$ |


| Observations | 1,245 | 1,245 | 1,774 | 1,774 | 2,083 | 2,083 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Bandwidth | 50 |  | 75 |  | 100 |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05$ * p $<0.1$

Table A3: Average test scores during 1st year of high school using different bandwidths

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| A) Math Grades |  |  |  |  |  |  |
| Estimated Discontinuity | $0.204^{* * *}$ | $0.258^{* * *}$ | $0.251^{* * *}$ | $0.284^{* * *}$ | $0.275^{* * *}$ | $0.322^{* * *}$ |
|  | $(0.078)$ | $(0.070)$ | $(0.066)$ | $(0.060)$ | $(0.061)$ | $(0.058)$ |
| With Controls | $0.210^{* * *}$ | $0.259^{* * *}$ | $0.255^{* * *}$ | $0.288^{* * *}$ | $0.279^{* * *}$ | $0.320^{* * *}$ |
|  | $(0.075)$ | $(0.067)$ | $(0.063)$ | $(0.058)$ | $(0.059)$ | $(0.056)$ |

## B) Chinese Grades

| Estimated Discontinuity | $\begin{gathered} 0.051 \\ (0.101) \end{gathered}$ | $\begin{gathered} 0.138 \\ (0.092) \end{gathered}$ | $\begin{gathered} 0.131 \\ (0.085) \end{gathered}$ | $\begin{gathered} 0.191^{* *} \\ (0.078) \end{gathered}$ | $\begin{gathered} 0.161^{* *} \\ (0.080) \end{gathered}$ | $\begin{gathered} 0.204^{* * *} \\ (0.076) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| With Controls | $\begin{gathered} 0.030 \\ (0.093) \end{gathered}$ | $\begin{gathered} 0.127 \\ (0.087) \end{gathered}$ | $\begin{gathered} 0.109 \\ (0.080) \end{gathered}$ | $\begin{gathered} 0.164^{* *} \\ (0.074) \end{gathered}$ | $\begin{aligned} & 0.137^{*} \\ & (0.075) \end{aligned}$ | $\begin{gathered} 0.180^{* *} \\ (0.072) \end{gathered}$ |

## C) English Grades

| Estimated Discontinuity | $\begin{aligned} & -0.005 \\ & (0.089) \end{aligned}$ | $\begin{gathered} 0.001 \\ (0.080) \end{gathered}$ | $\begin{gathered} 0.031 \\ (0.075) \end{gathered}$ | $\begin{gathered} 0.067 \\ (0.069) \end{gathered}$ | $\begin{gathered} 0.065 \\ (0.070) \end{gathered}$ | $\begin{gathered} 0.102 \\ (0.066) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| With Controls | $\begin{gathered} -0.047 \\ (0.083) \end{gathered}$ | $\begin{aligned} & -0.027 \\ & (0.075) \end{aligned}$ | $\begin{gathered} -0.009 \\ (0.069) \end{gathered}$ | $\begin{gathered} 0.023 \\ (0.065) \end{gathered}$ | $\begin{gathered} 0.023 \\ (0.065) \end{gathered}$ | $\begin{gathered} 0.070 \\ (0.063) \end{gathered}$ |
| Observations | 1,225 | 1,225 | 1,758 | 1,758 | 2,052 | 2,052 |
| Bandwidth | 50 |  | 75 |  |  |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |
| Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Test scores are standardized by subject-year. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05{ }^{*} \mathrm{p}<0.1$ |  |  |  |  |  |  |

Table A4: Average test scores during 2nd year of high school using different bandwidths

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| A) Math Grades |  |  |  |  |  |  |
| Estimated Discontinuity | $0.209^{* *}$ | $0.274^{* * *}$ | $0.282^{* * *}$ | $0.340^{* * *}$ | $0.320^{* * *}$ | $0.349^{* * *}$ |
|  | $(0.098)$ | $(0.087)$ | $(0.082)$ | $(0.075)$ | $(0.076)$ | $(0.072)$ |
| With Controls | $0.210^{* *}$ | $0.268^{* * *}$ | $0.277^{* * *}$ | $0.332^{* * *}$ | $0.314^{* * *}$ | $0.341^{* * *}$ |
|  | $(0.095)$ | $(0.085)$ | $(0.080)$ | $(0.074)$ | $(0.075)$ | $(0.071)$ |

## B) Chinese Grades

| Estimated Discontinuity | $0.197^{*}$ | $0.228^{* *}$ | $0.303^{* * *}$ | $0.402^{* * *}$ | $0.363^{* * *}$ | $0.432^{* * *}$ |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.107)$ | $(0.100)$ | $(0.091)$ | $(0.086)$ | $(0.086)$ | $(0.083)$ |  |
|  |  |  |  |  |  |  |  |
| With Controls | $0.176^{*}$ | $0.214^{* *}$ | $0.278^{* * *}$ | $0.374^{* * *}$ | $0.336^{* * *}$ | $0.406^{* * *}$ |  |
|  | $(0.100)$ | $(0.094)$ | $(0.085)$ | $(0.081)$ | $(0.080)$ | $(0.078)$ |  |

## C) English Grades

| Estimated Discontinuity | 0.016 | 0.011 | 0.046 | 0.084 | 0.085 | $0.138^{*}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.094)$ | $(0.086)$ | $(0.079)$ | $(0.075)$ | $(0.074)$ | $(0.071)$ |


| With Controls | -0.027 | -0.017 | 0.005 | 0.044 | 0.045 | 0.101 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.089)$ | $(0.081)$ | $(0.075)$ | $(0.072)$ | $(0.071)$ | $(0.069)$ |


| Observations | 1,218 | 1,218 | 1,745 | 1,745 | 2,042 | 2,042 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Bandwidth | 50 |  |  | 75 |  |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Test scores are standardized by subject-year and track. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05{ }^{*} \mathrm{p}<0.1$

Table A5: Average test scores during 3rd year of high school using different bandwidths

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
| :--- | :--- | :--- | :--- | :--- | :--- |

## A) Math Grades

| Estimated Discontinuity | $0.206^{* *}$ | $0.283^{* * *}$ | $0.283^{* * *}$ | $0.363^{* * *}$ | $0.330^{* * *}$ | $0.378^{* * *}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.099)$ | $(0.088)$ | $(0.083)$ | $(0.077)$ | $(0.078)$ | $(0.074)$ |
| With Controls | $0.219^{* *}$ | $0.281^{* * *}$ | $0.288^{* * *}$ | $0.365^{* * *}$ | $0.334^{* * *}$ | $0.377^{* * *}$ |
|  | $(0.095)$ | $(0.085)$ | $(0.080)$ | $(0.075)$ | $(0.075)$ | $(0.073)$ |

## B) Chinese Grades

| Estimated Discontinuity | 0.088 | 0.142 | $0.172^{* *}$ | $0.248^{* * *}$ | $0.228^{* * *}$ | $0.299^{* * *}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.101)$ | $(0.094)$ | $(0.088)$ | $(0.084)$ | $(0.083)$ | $(0.081)$ |
|  |  |  |  |  |  |  |
| With Controls | 0.073 | 0.129 | $0.153^{*}$ | $0.226^{* * *}$ | $0.206^{* *}$ | $0.277^{* * *}$ |
|  | $(0.099)$ | $(0.092)$ | $(0.085)$ | $(0.082)$ | $(0.081)$ | $(0.079)$ |

## C) English Grades

| Estimated Discontinuity | 0.029 | 0.024 | 0.057 | 0.087 | 0.090 | $0.144^{* *}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.094)$ | $(0.084)$ | $(0.079)$ | $(0.073)$ | $(0.073)$ | $(0.069)$ |


| With Controls | -0.005 | -0.001 | 0.021 | 0.046 | 0.051 | 0.103 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $(0.091)$ | $(0.080)$ | $(0.075)$ | $(0.070)$ | $(0.070)$ | $(0.067)$ |


| Observations | 1,197 | 1,197 | 1,711 | 1,711 | 2,005 | 2,005 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Bandwidth | 50 |  | 75 |  | 100 |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Test scores are standardized by subject-year and track. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05{ }^{*} \mathrm{p}<0.1$

Table A6: College entrance exam scores by subject

| Outcome | Math Score |  | Main Subject Scores |  | Chinese Score |  | English Score |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) |
| Estimated Discontinuity | $\begin{gathered} 0.301^{* *} \\ (0.128) \end{gathered}$ | $\begin{gathered} 0.352^{* * *} \\ (0.135) \end{gathered}$ | $\begin{gathered} 0.307^{* *} \\ (0.152) \end{gathered}$ | $\begin{gathered} 0.357^{* *} \\ (0.145) \end{gathered}$ | $\begin{gathered} 0.057 \\ (0.148) \end{gathered}$ | $\begin{gathered} 0.073 \\ (0.161) \end{gathered}$ | $\begin{gathered} 0.062 \\ (0.138) \end{gathered}$ | $\begin{gathered} 0.147 \\ (0.139) \end{gathered}$ |
| With Controls | $\begin{gathered} 0.301^{* *} \\ (0.121) \end{gathered}$ | $\begin{gathered} 0.350^{* * *} \\ (0.130) \end{gathered}$ | $\begin{gathered} 0.302^{* *} \\ (0.146) \end{gathered}$ | $\begin{gathered} 0.341^{* *} \\ (0.141) \end{gathered}$ | $\begin{gathered} 0.028 \\ (0.148) \end{gathered}$ | $\begin{gathered} 0.037 \\ (0.159) \end{gathered}$ | $\begin{gathered} 0.015 \\ (0.130) \end{gathered}$ | $\begin{gathered} 0.088 \\ (0.132) \end{gathered}$ |
| IV Estimate (With Controls) | $\begin{gathered} 0.392^{* *} \\ (0.162) \end{gathered}$ | $\begin{gathered} 0.450^{* * *} \\ (0.170) \end{gathered}$ | $\begin{gathered} 0.392^{* *} \\ (0.196) \end{gathered}$ | $\begin{gathered} 0.438^{* *} \\ (0.184) \end{gathered}$ | $\begin{gathered} 0.037 \\ (0.192) \end{gathered}$ | $\begin{gathered} 0.047 \\ (0.204) \end{gathered}$ | $\begin{gathered} 0.019 \\ (0.170) \end{gathered}$ | $\begin{gathered} 0.144 \\ (0.172) \end{gathered}$ |
| Observations | 1,212 | 1,212 | 1,274 | 1,274 | 1,253 | 1,253 | 1,185 | 1,185 |
| Bandwidth | CCT | CCT | CCT | CCT | CCT | CCT | CCT | CCT |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. All scores are standardized by year and track. Main subject scores are physics, chemistry, and biology for the science track and history, politics, and geography for the arts track. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01{ }^{* *} \mathrm{p}<0.05{ }^{*} \mathrm{p}<0.1$

Table A7: Long run educational outcomes using different bandwidths

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A) College |  |  |  |  |  |  |
| Entry Exam Scores |  |  |  |  |  |  |
| Estimated Discontinuity | $\begin{array}{r} 0.170 \\ (0.109) \end{array}$ | $\begin{gathered} 0.168^{*} \\ (0.096) \end{gathered}$ | $\begin{gathered} 0.186 * * \\ (0.091) \end{gathered}$ | $\begin{array}{r} 0.235^{* * *} \\ (0.085) \end{array}$ | $\begin{gathered} 0.216^{* *} \\ (0.085) \end{gathered}$ | $\begin{array}{r} 0.259 * * * \\ (0.082) \end{array}$ |
| With Controls | $\begin{array}{r} 0.152 \\ (0.106) \end{array}$ | $\begin{gathered} 0.154^{*} \\ (0.093) \end{gathered}$ | $\begin{gathered} 0.169^{*} \\ (0.089) \end{gathered}$ | $\begin{array}{r} 0.221^{* * *} \\ (0.083) \end{array}$ | $\begin{gathered} 0.202^{* *} \\ (0.083) \end{gathered}$ | $\begin{array}{r} 0.246 * * * \\ (0.080) \end{array}$ |
| IV Estimate (With Controls) | $\begin{array}{r} 0.202 \\ (0.143) \end{array}$ | $\begin{array}{r} 0.199 \\ (0.123) \end{array}$ | $\begin{gathered} 0.220^{*} \\ (0.117) \end{gathered}$ | $\begin{array}{r} 0.281^{* * *} \\ (0.108) \end{array}$ | $\begin{gathered} 0.259^{* *} \\ (0.108) \end{gathered}$ | $\begin{array}{r} 0.312^{* * *} \\ (0.103) \end{array}$ |
| B) Enroll in any Chinese University |  |  |  |  |  |  |
| Estimated Discontinuity | $\begin{array}{r} -0.007 \\ (0.024) \end{array}$ | $\begin{array}{r} -0.007 \\ (0.023) \end{array}$ | $\begin{gathered} -0.014 \\ (0.021) \end{gathered}$ | $\begin{gathered} -0.013 \\ (0.020) \end{gathered}$ | $\begin{gathered} -0.014 \\ (0.020) \end{gathered}$ | $\begin{gathered} -0.022 \\ (0.020) \end{gathered}$ |
| With Controls | $\begin{gathered} -0.008 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.004 \\ (0.022) \end{gathered}$ | $\begin{gathered} -0.014 \\ (0.020) \end{gathered}$ | $\begin{gathered} -0.015 \\ (0.019) \end{gathered}$ | $\begin{array}{r} -0.015 \\ (0.019) \end{array}$ | $\begin{gathered} -0.023 \\ (0.019) \end{gathered}$ |
| IV Estimate (With Controls) | $\begin{array}{r} -0.010 \\ (0.031) \\ \hline \end{array}$ | $\begin{array}{r} -0.006 \\ (0.028) \\ \hline \end{array}$ | $\begin{array}{r} -0.018 \\ (0.026) \\ \hline \end{array}$ | $\begin{array}{r} -0.019 \\ (0.025) \\ \hline \end{array}$ | $\begin{array}{r} -0.020 \\ (0.025) \\ \hline \end{array}$ | $\begin{array}{r} -0.029 \\ (0.025) \\ \hline \end{array}$ |
| C) Enroll in |  |  |  |  |  |  |
| Estimated Discontinuity | $\begin{array}{r} 0.035 \\ (0.044) \end{array}$ | $\begin{array}{r} 0.021 \\ (0.041) \end{array}$ | $\begin{array}{r} 0.006 \\ (0.037) \end{array}$ | $\begin{array}{r} -0.006 \\ (0.035) \end{array}$ | $\begin{gathered} -0.004 \\ (0.035) \end{gathered}$ | $\begin{array}{r} -0.019 \\ (0.033) \end{array}$ |
| With Controls | $\begin{array}{r} 0.039 \\ (0.044) \end{array}$ | $\begin{array}{r} 0.028 \\ (0.041) \end{array}$ | $\begin{array}{r} 0.010 \\ (0.037) \end{array}$ | $\begin{array}{r} -0.005 \\ (0.035) \end{array}$ | $\begin{gathered} -0.002 \\ (0.035) \end{gathered}$ | $\begin{gathered} -0.018 \\ (0.033) \end{gathered}$ |
| IV Estimate (With Controls) | $\begin{array}{r} 0.052 \\ (0.059) \\ \hline \end{array}$ | $\begin{array}{r} 0.037 \\ (0.053) \\ \hline \end{array}$ | $\begin{array}{r} 0.013 \\ (0.048) \\ \hline \end{array}$ | $\begin{array}{r} -0.006 \\ (0.044) \\ \hline \end{array}$ | $\begin{array}{r} -0.003 \\ (0.044) \\ \hline \end{array}$ | $\begin{array}{r} -0.023 \\ (0.042) \\ \hline \end{array}$ |
| D) Enroll in |  |  |  |  |  |  |
| Estimated Discontinuity | $\begin{gathered} 0.282^{* *} \\ (0.067) \end{gathered}$ | $\begin{gathered} 0.325^{* *} \\ (0.059) \end{gathered}$ | $\underset{(0.056)}{0.150^{* * *}}$ | $\begin{array}{r} 0.182^{* * *} \\ (0.050) \end{array}$ | $\begin{gathered} 0.176^{* * *} \\ (0.052) \end{gathered}$ | $\begin{array}{r} 0.221^{* * *} \\ (0.049) \end{array}$ |
| With Controls | $\begin{gathered} 0.122^{*} \\ (0.066) \end{gathered}$ | $\begin{gathered} 0.127^{* *} \\ (0.058) \end{gathered}$ | $\begin{array}{r} 0.153^{* * *} \\ (0.055) \end{array}$ | $\begin{gathered} 0.182^{* * *} \\ (0.050) \end{gathered}$ | $\begin{array}{r} 0.178^{* * *} \\ (0.052) \end{array}$ | $\begin{array}{r} 0.221^{* * *} \\ (0.048) \end{array}$ |
| IV Estimate (With Controls) | $\begin{gathered} 0.162^{*} \\ (0.089) \\ \hline \end{gathered}$ | $\begin{gathered} 0.165^{* *} \\ (0.076) \\ \hline \end{gathered}$ | $\begin{array}{r} 0.198^{* * *} \\ (0.073) \\ \hline \end{array}$ | $\begin{array}{r} 0.232^{* * *} \\ (0.064) \\ \hline \end{array}$ | $\begin{array}{r} 0.228^{* * *} \\ (0.067) \\ \hline \end{array}$ | $\begin{array}{r} 0.280^{* * *} \\ (0.062) \\ \hline \end{array}$ |
| E) Enroll in Top 40 University |  |  |  |  |  |  |
| Estimated Discontinuity | $\begin{array}{r} 0.047 \\ (0.062) \end{array}$ | $\begin{gathered} 0.092^{*} \\ (0.056) \end{gathered}$ | $\begin{gathered} 0.108^{* *} \\ (0.053) \end{gathered}$ | $\begin{array}{r} 0.152^{* * *} \\ (0.048) \end{array}$ | $\begin{array}{r} 0.134^{* * *} \\ (0.049) \end{array}$ | $\begin{array}{r} 0.172^{* * *} \\ (0.046) \end{array}$ |
| With Controls | $\begin{array}{r} 0.043 \\ (0.061) \end{array}$ | $\begin{array}{r} 0.088 \\ (0.055) \end{array}$ | $\begin{gathered} 0.104 * * \\ (0.052) \end{gathered}$ | $\begin{array}{r} 0.150^{* * *} \\ (0.048) \end{array}$ | $\begin{gathered} 0.131^{* * *} \\ (0.049) \end{gathered}$ | $\begin{array}{r} 0.170^{* * *} \\ (0.046) \end{array}$ |
| IV Estimate (With Controls) | $\begin{array}{r} 0.058 \\ (0.081) \end{array}$ | $\begin{array}{r} 0.114 \\ (0.071) \end{array}$ | $\begin{gathered} 0.135^{* *} \\ (0.068) \end{gathered}$ | $\begin{array}{r} 0.191^{* * *} \\ (0.061) \end{array}$ | $\begin{array}{r} 0.168^{* * *} \\ (0.063) \end{array}$ | $\begin{array}{r} 0.216^{* * *} \\ (0.059) \end{array}$ |
| Observations | 1,224 | 1,224 | 1,189 | 1,189 | 1,216 | 1,216 |
| Bandwidth | 50 |  | 75 |  | 10 |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |
| Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. Controls include: gender, general location of residence 6 , high school entrance exam scores and year fixed effects. College Entrance Exam scores are standardized by year and track. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$ |  |  |  |  |  |  |

Table A8: Average test scores during three years of high school for rural versus urban students

| Outcome | Urban Students | Rural Students |
| :--- | :---: | :---: |
| A) Mathematics Performance |  |  |
|  |  |  |
| First Year High School | 0.165 | $0.362^{* *}$ |
|  | $(0.122)$ | $(0.156)$ |
| Second Year High School | 0.104 | $0.554^{* *}$ |
|  | $(0.169)$ | $(0.229)$ |
| Third Year High School | 0.220 | 0.281 |
|  | $(0.164)$ | $(0.225)$ |

## A) Chinese Performance

| First Year High School | -0.018 | -0.077 |
| :--- | :---: | :---: |
|  | $(0.103)$ | $(0.214)$ |
| Second Year High School | 0.169 | 0.246 |
|  | $(0.160)$ | $(0.288)$ |
| Third Year High School | 0.157 | 0.064 |
|  | $(0.153)$ | $(0.304)$ |

## A) English Performance

| First Year High School | $-0.244^{*}$ | 0.139 |
| :--- | :---: | :---: |
|  | $(0.126)$ | $(0.216)$ |
| Second Year High School | -0.067 | 0.102 |
|  | $(0.127)$ | $(0.198)$ |
| Third Year High School | -0.049 | 0.149 |
|  | $(0.132)$ | $(0.201)$ |

Notes: Sample includes students who entered high school from 2015 to 2017. Urban students are those residing in urban areas while rural students are those residing in less developed rural areas. All estimates are from local linear regressions using a triangular kernel. We use the CCT bandwidth predictor based on the overall sample in order to use the same bandwidth for the rural and urban sample. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender, general location of residence, high school entrance exam scores and year fixed effects. Test scores are standardized by subject-year in year 1 and subject-year-track in years 2 and 3. Robust standard errors reported in parentheses. *** $\mathrm{p}<0.01^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table A9: Robustness check-Selection issues using different bandwidths

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Selection Out Of College Entrance Exam | $\begin{gathered} 0.031 \\ (0.026) \end{gathered}$ | $\begin{gathered} 0.026 \\ (0.023) \end{gathered}$ | $\begin{gathered} 0.024 \\ (0.022) \end{gathered}$ | $\begin{gathered} 0.015 \\ (0.021) \end{gathered}$ | $\begin{gathered} 0.017 \\ (0.021) \end{gathered}$ | $\begin{gathered} 0.007 \\ (0.021) \end{gathered}$ |
| Selection Into Science Concentration | $\begin{gathered} 0.027 \\ (0.031) \end{gathered}$ | $\begin{gathered} 0.025 \\ (0.027) \end{gathered}$ | $\begin{gathered} 0.018 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.003 \\ (0.023) \end{gathered}$ | $\begin{gathered} 0.008 \\ (0.023) \end{gathered}$ | $\begin{gathered} 0.006 \\ (0.022) \end{gathered}$ |
| Switching Into Different Track | $\begin{gathered} -0.022 \\ (0.034) \end{gathered}$ | $\begin{gathered} -0.014 \\ (0.029) \end{gathered}$ | $\begin{aligned} & -0.013 \\ & (0.028) \end{aligned}$ | $\begin{gathered} -0.008 \\ (0.024) \end{gathered}$ | $\begin{gathered} -0.006 \\ (0.025) \end{gathered}$ | $\begin{gathered} 0.003 \\ (0.023) \end{gathered}$ |
| Observations | 1,224 | 1,224 | 1,756 | 1,756 | 2,051 | 2,051 |
| Bandwidth | 50 |  | 75 |  | 100 |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |
| Notes: Sample includes stur linear regressions using var general location of residen reported in parentheses. | udents who e us bandwidt , high school p $<0.01$ ** | tered high and kerne entrance ex $<0.05$ * p | from 2015 <br> butions. All ores and yea | 2017. A gressions fixed effect | timates are de controls Robust stan | m local gender, d errors |

Table A10: Mechanisms using different bandwidths

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
| :--- | :--- | :--- | :--- | :--- | :--- |

## A) Class Peer Quality

| Estimated Discontinuity | $1.063^{* * *}$ | $1.091^{* * *}$ | $1.107^{* * *}$ | $1.146^{* * *}$ | $1.134^{* * *}$ | $1.161^{* * *}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  | $(0.063)$ | $(0.056)$ | $(0.054)$ | $(0.048)$ | $(0.050)$ | $(0.047)$ |
|  |  |  |  |  |  |  |
| With Controls | $1.045^{* * *}$ | $1.083^{* * *}$ | $1.094^{* * *}$ | $1.138^{* * *}$ | $1.123^{* * *}$ | $1.155^{* * *}$ |
|  | $(0.057)$ | $(0.051)$ | $(0.049)$ | $(0.046)$ | $(0.047)$ | $(0.045)$ |
| IV Estimate |  |  |  |  |  |  |
| (With Controls) | $1.365^{* * *}$ | $1.386^{* * *}$ | $1.399^{* * *}$ | $1.432^{* * *}$ | $1.423^{* * *}$ | $1.450^{* * *}$ |
|  | $(0.032)$ | $(0.028)$ | $(0.026)$ | $(0.023)$ | $(0.023)$ | $(0.021)$ |

## B) Class Size

| Estimated Discontinuity | $-2.409^{* *}$ | $-1.676^{*}$ | $-1.976^{* *}$ | $-1.668^{* *}$ | $-1.751^{* *}$ | $-1.526^{*}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  | $(1.016)$ | $(0.926)$ | $(0.885)$ | $(0.814)$ | $(0.849)$ | $(0.811)$ |
|  |  |  |  |  |  |  |
| With Controls | $-2.790^{* * *}$ | $-2.035^{* * *}$ | $-2.220^{* * *}$ | $-1.796^{* * *}$ | $-1.914^{* * *}$ | $-1.583^{* * *}$ |
|  | $(0.716)$ | $(0.660)$ | $(0.624)$ | $(0.585)$ | $(0.600)$ | $(0.585)$ |
| IV Estimate |  |  |  |  |  |  |
| (With Controls) | $-3.643^{* * *}$ | $-2.605^{* * *}$ | $-2.839^{* * *}$ | $-2.261^{* * *}$ | $-2.425^{* * *}$ | $-1.988^{* * *}$ |
|  | $(0.946)$ | $(0.851)$ | $(0.805)$ | $(0.741)$ | $(0.765)$ | $(0.738)$ |

## C) Class Teacher Quality

| Estimated Discontinuity | $0.385^{* * *}$ | $0.396^{* * *}$ | $0.384^{* * *}$ | $0.377^{* * *}$ | $0.380^{* * *}$ | $0.372^{* * *}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  | $(0.041)$ | $(0.036)$ | $(0.033)$ | $(0.030)$ | $(0.030)$ | $(0.029)$ |
|  |  |  |  |  |  |  |
| With Controls | $0.402^{* * *}$ | $0.405^{* * *}$ | $0.403^{* * *}$ | $0.399^{* * *}$ | $0.402^{* * *}$ | $0.401^{* * *}$ |
| IV Estimate | $(0.030)$ | $(0.027)$ | $(0.025)$ | $(0.023)$ | $(0.023)$ | $(0.021)$ |
| (With Controls) | $0.519^{* * *}$ | $0.515^{* * *}$ | $0.513^{* * *}$ | $0.501^{* * *}$ | $0.506^{* * *}$ | $0.502^{* * *}$ |
|  | $(0.028)$ | $(0.025)$ | $(0.022)$ | $(0.020)$ | $(0.020)$ | $(0.019)$ |


| Observations | 1,245 | 1,245 | 1,788 | 1,788 | 2,092 | 2,092 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Bandwidth | 50 |  | 75 |  | 100 |  |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. Controls include: gender, high school entrance exam scores and year fixed effects. All class-level mechanisms are estimated in the first year of tracking. Peer quality is standardized and based on students' performance in high school entrance exam. Teacher quality is standardized and based on based on teachers' rank which is classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank. Teacher ranks are not automatic and are generally based on teaching performance and publications. Robust standard efrors reported in parentheses. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table A11: Teacher quality by subject

| Outcome | Mathematics Teacher Quality |  | Chinese Teacher Quality |  | English <br> Teacher Quality |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
| Estimated Discontinuity | $\begin{array}{r} 1.937^{* * *} \\ (0.139) \end{array}$ | $\begin{array}{r} 1.809^{* * *} \\ (0.123) \end{array}$ | $\begin{gathered} 0.203^{*} \\ (0.116) \end{gathered}$ | $\begin{gathered} 0.240^{* *} \\ (0.111) \end{gathered}$ | $\begin{array}{r} 0.886^{* * *} \\ (0.125) \end{array}$ | $\begin{array}{r} 0.879 * * * \\ (0.114) \end{array}$ |
| With Controls | $\begin{array}{r} 1.943^{* * *} \\ (0.138) \end{array}$ | $\begin{array}{r} 1.814^{* * *} \\ (0.124) \end{array}$ | $\begin{array}{r} 0.229^{* *} \\ (0.113) \end{array}$ | $\begin{gathered} 0.259^{* *} \\ (0.109) \end{gathered}$ | $\begin{array}{r} 0.974^{* * *} \\ (0.103) \end{array}$ | $\begin{array}{r} 0.986^{* * *} \\ (0.101) \end{array}$ |
| IV Estimate (With Controls) | $\begin{array}{r} 2.467^{* * *} \\ (0.172) \end{array}$ | $\begin{array}{r} 2.344^{* * *} \\ (0.154) \end{array}$ | $\begin{array}{r} 0.278^{* *} \\ (0.132) \end{array}$ | $\begin{gathered} 0.310^{* *} \\ (0.124) \end{gathered}$ | $\begin{array}{r} 1.255^{* * *} \\ (0.114) \end{array}$ | $\begin{array}{r} 1.263^{* * *} \\ (0.112) \end{array}$ |
| Observations | 801 | 801 | 1,100 | 1,100 | 1,147 | 1,147 |
| Bandwidth | CCT | CCT | CCT | CCT | CCT | CCT |
| Kernel | Triangular | Uniform | Triangular | Uniform | Triangular | Uniform |

Notes: Sample includes students who entered high school from 2015 to 2017. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include: gender and year fixed effects. Teacher quality is estimated in the first year of tracking. Teacher quality is standardized and based on based on teachers' rank which is classified as $3=$ senior rank, $2=$ first rank and $1=$ second rank. Teacher ranks are not automatic and are generally based on teaching performance and publications. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p}<0.01^{* *} \mathrm{p}<0.05^{*} \mathrm{p}<0.1$

Table A12: Comparison of student composition across our three high schools for a common entering cohort of 2017.

|  | Overall Sample <br> $(1)$ | Marginal Sample <br> $(2)$ |
| :--- | :---: | :---: |
| Panel A: Qingyang High School |  |  |
| High School Entrance Exam Score |  |  |
|  | 849.35 | 857.67 |
| College Entrance Exam Scores (Science Track) | $(31.04)$ | $(28.83)$ |
|  | 502.81 | 518.10 |
| College Entrance Exam Scores (Arts Track) | $(61.85)$ | $(56.08)$ |
|  | 539.76 | 562.34 |
| Proportion of Students in High-achieving Classrooms | $(47.19)$ | $(40.61)$ |
| Proportion Selecting Science Track | 0.112 | 0.150 |
|  | 0.887 | 0.919 |
| Number of Students (2017 Cohort) |  | 530 |

## Panel B: Zhenyuan High School

| High School Entrance Exam Score | 764.82 | 844.80 |
| :--- | :---: | :---: |
|  | $(115.29)$ | $(31.50)$ |
| College Entrance Exam Scores (Science Track) | 437.81 | 483.46 |
|  | $(77.84)$ | $(63.17)$ |
| College Entrance Exam Scores (Arts Track) | 478.02 | 525.15 |
|  | $(49.63)$ | $(36.66)$ |
| Proportion of Students in High-achieving Classrooms | 0.051 | 0.189 |
| Proportion Selecting Science Track | 0.808 | 0.916 |
| Number of Students (2017 Cohort) | 671 | 280 |
| Panel C: Pingquan High School |  |  |
| High School Entrance Exam Score | 668.41 | 749.97 |
|  | $(76.29)$ | $(57.92)$ |
| College Entrance Exam Scores (Science Track) | 388.54 | 412.45 |
|  | $(71.85)$ | $(66.83)$ |
| College Entrance Exam Scores (Arts Track) | 418.75 | 456.75 |
| Proportion of Students in High-achieving Classrooms | $(62.56)$ | $(60.55)$ |
| Proportion Selecting Science Track | 0.054 | 0.217 |
| College Entrance Exam Scores | 0.607 | 0.781 |
| Number of Students (2017 Cohort) | 0.871 | 0.898 |

Notes: Sample in Column (1) includes all students who entered Qingyang High School, Zhenyuan High School and Pingquan High School in 2017. We focus on this one year as it is the only common year of data across the three schools. This ensures comparability of national test scores. The marginal sample in Column (2) contains all students attending these schools who score within 775 points on either sides of the classroom placement exam cutoff.

Table A13: First stage - Enrollment in high-achieving classrooms in Zhenyuan and Pingquan High School

| Outcome | Likelihood of Enrolling in |  |
| :--- | :---: | :---: |
|  | High-achieving Classroom <br> $(1)$ | $(2)$ |
|  |  |  |
| Panel A: Zhenyuan High School | $0.761^{* * *}$ <br> $(0.036)$ | $0.803^{* * *}$ <br> $(0.031)$ |
|  |  |  |
| Observations | 2,745 | 2,745 |
| Panel B: Pingquan High School | $0.810^{* * *}$ | $0.849^{* * *}$ |
|  | $(0.083)$ | $(0.114)$ |
| Observations |  |  |
| Bandwidth | 691 | 691 |
| Kernel | CCT | CCT |

Notes: Sample includes students who entered Zhenyuan High School in 2012, 2013, 2016, 2017, 2018 and 2019 as well as students who entered Pingquan High School in 2017 and 2018. All estimates are from local linear regressions using various bandwidths and kernel distributions. The number of observations vary by outcome since the CCT bandwidth selector predicts different bandwidths depending on outcome. Controls include year fixed effects. Robust standard errors reported in parentheses. ${ }^{* * *} \mathrm{p} ¡ 0.01{ }^{* *} \mathrm{p} ¡^{0} 0.05^{*} \mathrm{p} ¡ 0.1$


[^0]:    *We thank seminar participants at Jinan University, Shenzhen University and, the 21st IZA/SOLE Transatlantic Meetings of Labor Economists. We are also grateful to Joshua Goodman, Laura Giuliano, Mark Hoekstra and Sarah Reber for helpful comments and suggestions. All errors are our own.
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[^1]:    ${ }^{1}$ The definition of tracking can vary substantially across educational systems. Based on their prior achievement, students may be tracked into (i) different schools, (ii) different classrooms within the same schools or, (iii) vocational and general education. We use the terms tracking or within-school tracking to refer to the practice of separating students into achievement-based classrooms within the same school.
    ${ }^{2}$ NYC's Gifted and Talented program places students identified as "gifted", based on their performance on a standardized test, in separate classrooms from their peers.

[^2]:    ${ }^{3}$ We proxy socioeconomic background by whether students reside in rural or urban areas. Indeed, in the province we study, students from rural areas are generally considered to be lower-income as these areas are mostly underdeveloped.

[^3]:    ${ }^{4}$ For these two schools, we do not have the name of the university that students eventually attend which prohibits us from examining college outcomes.

[^4]:    ${ }^{5}$ Two additional studies look at high school tracking programs in substantially different settings. Welsch and Zimmer (2018) use a sibling fixed effects model to show that participation in U.S. high school gifted programs has no significant effect on later-life outcomes. An advantage of our setting is that we can use a regression discontinuity design which rests on a minimal set of assumptions and allows us to better account for endogeneity of placement into achievement-based classrooms. Vardardottir (2013) estimates the impact of being placed in high-ability classrooms in Icelandic high schools on short-term test scores. The author emphasizes that the only difference between high and low-ability classrooms in Iceland is peer ability. In contrast, as in most tracking systems, classrooms in our setting differ in terms of peer ability, teachers, pedagogy, and class size.
    ${ }^{6}$ A related literature evaluates the implications of European reforms that delay the age of tracking or change the quality of tracks (see for example, Malamud and Pop-Eleches, 2010; Hall, 2012; Canaan, 2020; Bertrand, Mogstad and Mountjoy, 2021; Silliman and Virtanen, 2022). The studies differ from this paper in that they focus on the separation of students into academic and vocational tracks, which lead to different types of high school degrees and postsecondary options. In contrast, students in our setting both pursue an academic curriculum which leads to the same type of high school degree and colleges.

[^5]:    ${ }^{7}$ The college entrance exam is graded out of a possible 750 points and is common for all students in the same province, year and academic concentration. Specifically, students with an Arts concentration take tests in English language, Chinese language, Mathematics for Arts concentration and a comprehensive test consisting of Politics, History, and Geology. Science concentration students take tests in English language, Chinese language, Mathematics for Science concentration and a comprehensive test that includes Physics, Chemistry, and Biology.
    ${ }^{8}$ The cutoffs are set after taking into account the distribution of college entrance exam scores and the Ministry of Education's quotas for the province.
    ${ }^{9}$ Between 1996 and 2000, the government allocated around $\$ 2$ billion dollars to universities on the Project 211 list.
    ${ }^{10}$ These projects have been successful in achieving their goals. For example, Project 211 universities take on the responsibility of training four-fifths of doctoral students, two-thirds of graduate students, half of students from abroad and one-third of undergraduates in China. They hold $96 \%$ of key laboratories in China, and consume $70 \%$ of scientific research funding. Additionally, most of these universities are ranked

[^6]:    ${ }^{12}$ Students can earn a maximum of 150 points each on Mathematics, Chinese Language and English Language, and a maximum of 100 points each on Physics and Chemistry.
    ${ }^{13}$ The high school entrance exam includes 10 subjects and is graded out of 1,000 points. The subjects are: Mathematics ( 150 points), Chinese Language ( 150 points), English Language ( 150 points), Physics (100 points), Chemistry (100 points), History (80 points), Geology (80 points), Biology ( 70 points), Politics ( 70 points), Physical Education (50 points).
    ${ }^{14}$ Specifically, the regular classroom allocation mechanism is such that the top CPE performer is assigned to classroom 1, the second highest performer is assigned to classroom 2, the third highest to classroom 3 and so on, until all students are assigned to different classrooms.
    ${ }^{15}$ The type of classroom that students are assigned to in their second and third years of high school depends on the academic concentration chosen at the end of the first year. In general, most high-achieving students choose a Science concentration. Therefore, students who are placed in a high-achieving classroom in their first year and choose a science concentration, stay together in the same high-achieving classroom until their last year of high school. Those who pick an Arts concentration are instead reassigned to a regular Arts classroom in their second and third years of high school. We show that switching tracks is not a concern in our setting in Section 5.5.

[^7]:    ${ }^{16}$ Additionally, when within-school tracking was first introduced in Qingyang First High School in 2015, high-achieving classroom teachers were drawn from their regular teaching staff and no new teachers were hired for this purpose.
    ${ }^{17}$ We do not have data from previous years as tracking in Qingyang First High School was first implemented in 2015. Additionally, we do not collect data for cohorts who enrolled at the high school after 2017, as they are still too young for us to observe their postsecondary outcomes.

[^8]:    ${ }^{18}$ We are unable to simply back out the threshold by looking at the minimum scoring student in a toptrack classroom due to the existence of always-takers. Rather, we predict the threshold score by looking for a sudden gap or jump in CPE scores for students given admission to a top-track classroom for each year.

[^9]:    ${ }^{19}$ On average, students take 6 sets of exams in various subjects in a given grade and year. We use scores on Mathematics, English and Chinese, as these are the only subjects that are included in all sets of exams.
    ${ }^{20}$ Since students are divided into science and arts tracks in the 2nd and 3rd year of high school, we also standardize scores within tracks for those years.

[^10]:    ${ }^{21}$ We standardize college entrance exam scores by year and high school concentration. In Section 5.5, we show that the likelihood of choosing a science or arts concentration is smooth at the cutoff, mostly because virtually all students around the cutoff select a science concentration. As a result, the choice of standardizing

[^11]:    college entrance exam scores within concentrations has no substantial effect on results.
    ${ }^{22} \mathrm{We}$ are unable to observe if students not attending university in China are instead enrolled in a university abroad. However, anecdotal evidence from our conversations with high school officials reveal that students rarely end up attending a university outside of China. This is expected given that the city and province we look at are both relatively poor.

[^12]:    ${ }^{23}$ Estimates reported in Appendix Table A7 indicate that results for college exam performance and university choice are mostly robust to various bandwidths. The major exception is that local linear estimates on top-40 university enrollment are statistically significant for larger bandwidths.

[^13]:    ${ }^{24}$ The estimate for third-year math performance is statistically insignificant at conventional levels but we cannot rule out large positive effects.
    ${ }^{25}$ A student may opt out of taking the college entrance exam either because they have dropped out of the education sector altogether or because they want to independently sit for it the following year. Taking the college entrance exam is unrelated to grade repetition. Grade repetition is extremely rare in our context because students are generally not allowed to repeat any year of high school without special permission from school officials.

[^14]:    ${ }^{26}$ In Appendix Table A9, we show that findings from this section are robust to bandwidth choice. Specifically, we are unable to detect any significant effects on college entrance exam take-up, academic concentration choice or classroom type from local linear regressions using bandwidths of 50,75 or 100 points either side of the cutoff.

[^15]:    ${ }^{27}$ In Appendix Table A10, we further show that estimates of the impact of high-achieving classrooms on teacher rank, peer quality and class size are all robust to bandwidth choice.

[^16]:    ${ }^{28}$ The province of Gansu is divided into 14 prefectures. Among these is the prefecture of Qingyang where all three schools are located. Qingyang is in turn divided into Xifeng district and 7 counties (including Zhenyuan) that are independent of Xifeng.

